Regeneration dynamics and coexistence of two dioecious tree species, Podocarpus nagi and Neolitsea aciculata

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## Chapter 1

## Introduction

Species coexistence in plant communities has been a considerable subject of ceological rescarch (c.g. Whittaker 1965, 1970; Grubb 1977; Silvertown \& Lovett Doust 1993; Tilman 1994). Classical theory offered that every species in a community must occupy a different niche for the coexistence (Hutchinson 1959; MacArthur 1972; Whittaker 1970). Plant ccologists have remarked interspecific differentiations in resource utilization life form, phenology, and requirements for physicochemical characters of habitats as factors that enable plant species to occupy different niches [sec revicws by Grubb (1977) and Silvertown \& Lovett Doust (1993)]. However, in fact, almost all plants need light, carbon dioxide, water and same mineral nutrients, and numerous species with similar life-form, phenology, and habitat preference cocxist in plant communitics.

Grubb $(1977,1986)$ considered that the regeneration process, which was first discussed in general terms by Watt (1947), was important to explain coexistence mechanisms in plant communitics and proposed the concept of the regeneration niche. When any one plant individual dies, a gap is created and competition for a gap among plant species occurs. A gap is ultimatcly occupied by a new plant. It is a crucial point whether a plant that occupy a gap is of the same species as died or not. Grubb (1977) emphasized the importance of this replacement process for understanding species richness in plant communitics and suggested that, if species A tends to oust species B, necessary conditions were either the creation of a gap which favors the establishment of $B$ more than $A$ or the creation of a gap at a place where $B$ has propagules and $A$ has not. Grubb (1977) listed factors creating gaps in a forest; firc, cyclone, constant winds, and the fall of single trees or branches. These factors destroy the forest structure and change environmental conditions suddenly (i.e. disturbance, Sprugel 1976; Runkle 1981; Romme 1982; White \& Pickett 1985). Especially, a canopy gap, which is caused by a relatively small scale disturbance, has been studicd as an important factor on the regeneration of many forest types, tropical rain forests (Brokaw 1985; Hubell \& Foster 1986), temperate evergreen forests (Naka 1982; Yamamoto 1992), temperate deciduous forests (Runkle 1985; Nakashizuka 1987, Yamamoto 1989).

On the other hand, the forest structure could be changed gradually as the results of biological interactions among plants (Janzen 1970; Conncll 1971; Pielou 1977; GreigSmith 1979; Woods 1984; Callaway 1992; Silvertown \& Wilson 1994). The spatial
paltern of plants reflected the biological interactions throughout the regencration pincesses. 1.e, production of propagules, dispersal of propagules, germination, establishment, growth and mature. In a dispersal phase, the location of parent plants and their seed dispersal ability initially determine the spatial pattern of their offspring (Augspurger 1983; Hoppes 1988; Houle 1992) and cventually affect the spatial structure of populations (Ifubbell 1979; Abbott 1984; Sterner et al. 1986; Armesto et al. 1991). The spatial pattern of plant species appears to be affected by their means of seed dispersal (Hubbell 1979; Briggs \& Gibson 1992). Small dispersal distances could cxplain the clumped distribution of plants (Prentice \& Werger 1985; Sterner et al. 1986; Hatton 1989), whereas plants with large dispersal ability showed less clumped distribution (Briggs \& Gibson 1992).

In a post-dispersal phase, the offspring interact with the ncighbouring plants through the competition to acquire the resources, i.e., light, water, and nutrients. The competition among plants affects the specics composition and population structure of cach species in a plant community (Greig-Smith 1979; Fowler 1986). In monospecific slands, more regular spatial patterns have often been reported with an increase in plant size (or age) and such a shift has been explained to be induced by intraspecific competition (Lacssle 1965; West 1984; Kcnkcl 1988; Kcnkcl et al. 1997). Similar shifts in spatial patterns have also been reported in multi-species stands (Christensen 1977; Phillips \& MacMahon 1981; Sterner et al. 1986; Duncan 1991; Fulé \& Covington 1998). In multi-species stands, both intra- and interspecific competitions should be considered (Duncan 1991; Nakashizuka \& Kohyama 1995 ; Hara et al. 1995; Kubota \& Hara 1995, 1996; Peterson \& Squiers 1995a, b).

By interspecific competition, the habitat of specics with inferior competitive ability was restricted to the sites where density of superior competitor was low (Gurevitch 1986; Haase et al. 1997; Bockclmann \& Ncuhaus 1999). Hart et al. (1989) reported that the superior competitive ability of specics with large seeds and high shade tolcrance resulted in the formation of monodominant stands within a species-rich tropical forcst. Frelich et al. (1993) and Frelich et al. (1998) reported a mixed-specics forcst consisting of mono-specific patches and that interspecific competition was responsible for the patch formation.

Formation of the sites where density of superior competitor was low can facilitate the species coexistence. The coexistence of species compeling with each other for gaps is facilitated by a trade-off between relative competitive and dispersal ability, i.e., superior competitors tend to have inferior dispersal abilities and vice versa (Skellam

1951; Hutchinson 1975; Hanskı \& Ranta 1983; Shmida \& Ellncr 1984: Marıno 1991. Tilman 1994). Coexistence occurs because species with inferior competitive abilnty hut sufficiently wide dispersal ability persist in site not occupied by superior competiors. In circumstances where superior competitors with narrow dispersal range are spatially aggregated, inferior competitors can cocxist by creation of spatial refuge from superior competitor (Silvertown \& Lovelt Doust 1993). The regeneration niche (Grubb 1977) for inferior competitor can be created by the spatial population structure of superior competitor without any disturbances.

However, spatial patterns and population dynamics of plants have been studied in hermaphrodite or monoccious species, of which all parent plants can produce seeds. In the case of dioccious species, not all parent plants produce sceds. When the number of male and female plants in a dinecious population is the same, only a half of the parent plants contribute to seed dispersal to determine the spatial pattern of offspring. The decrease in the number of seed sources in dioccious species can result in a greater spatial heterogencity of offspring density than in hermaphrodite or monoccious species. The spatial heterogeneity of plant density is influential to the community structure and dynamics (Greıg-Smith 1979; Pcterson \& Squicrs 1995a, b). Dioccy may facilitate the formation of the spatial refuge for the species cocxistence where the density of the superior competitor was low.

The dioccy leads us to suspect that the population structure and dynamics are different from those observed in hermaphrodite or monoecious species. The studics on dioecious species have focused on sex ratio (Opler \& Bawa 1978; Alliende \& Harper 1989; Vasiliauskas \& Aarssen 1992), secondary sex characteristics (Lloyd \& Webb 1977; Hoffmann \& Alliendc 1984; Lovett Doust \& Lovct Doust 1988) and spatial scgregation of the sexes (Frecman et al. 1976; Grant \& Mitton 1979; Bicrzychudck \& Eckhart 1988). However, the effects of the dioccy-induced characteristics on the spatial structure and dynamics of populations have not been studied in detail yet. There are several studies on the spatial pattern and dynamics of dioccious species, but few studies consider the dioccy (but see Gibson \& Menges 1994). The dioecy-induced effects on the intra- and interspecific competition and species cocxistence in a forest community have not been studied.

## Objectives of the study

The aims of this study are to elucidate the regeneration dynamics of a forest community
which is dominated hy two dioccious tree species, Podocarpus magi (Thunh.) Z.oll. et Morte (Podocarpaceac) and Neolitsca aciculata (Blume) Koidz.. (Lauraceac), and w discuss the diocey effects on the coexistence mechanism of the two species. Podocarpus nagı has a higher shade tolerance than N. aciculata (Aiba \& Kohyama 1997). Podocarpus nagi whose seeds are dispersed by gravity alone has a narrower seed dispersal range than $N$. aciculata whose secds are dispersed by birds. The author focused on their compctitive abihty, sex expression and secd dispersal ability to explain the dioecy-induced effects on the regeneration dynamics and coexistence mechanism of the two species.

The following chapters of this dissertation will provide a detailed explanation of the results of various researches conducted. An overview of the content of each chapter is shown below:

- In Chapter 2, dioecy-induced spatial patterns of a forest community were detected. The spatial interactions (attraction or repulsion) between juvenile plants (secdlings and saplings) and parent plants (male and female trecs) were analysed to detect the effects of dioecy on the spatial patterns of a population. The dependency of the diocey effects on a seed dispersal ability was cvaluated by comparing the degrees of the juvenile-parent interactions in the $P$. nagi population (small dispersal ability) with those in the $N$. aciculata population (large dispersal ability). The spatial interactions (attraction or repulsion) between the two species were analysed to detect the evidence of dioccy effects on the regeneration and enexistence of the two species.
- In Chapter 3, sex-related population structures of P. nagi, i.c., sex ratio and spatial patterns of males and females were analysed and the driving force of the sexrelated population structures of $P$. nagi was evaluated. The sex ratios at various size classes were compared to examine the size-dependency of scx ratio. The growth rates were compared between males and females at various size classes to examine the sexand size-dependency of growth rates. The intensities of competition within sexes and between sexes were evaluated by analysing neighbouring effects on the growth rate. The spatial interactions (attraction or repulsion) between males and females were analysed to delect the evidence of sex-dependent growth rates reflected on the spatial patterns of the $P$. nagi population.
- In Chapter 4, spatial pattern formation in the forest community was explained by the measurements of growth, survival and mortality of P. nagi and N. aciculata trees. The neighbouring effects on the growth rate of trees were analyzed to evaluate the relative importance of intra- and inter-specific competition on the pattern formation. The changes

In the spatial patterns by mortality were analysed to detect the evidence of the pattern lormation reflected on the $P$. nagi and $N$. aciculata community.

- In Chapter 5, a theoretical analysis for the cocxistence mechanism of the two species was conducted by a matrix model incorporating competitive ability, secd dispersal ability and dioecy of the two specics. The model hypothesized that seed dispersal in $P$. nagi is limited to the area around female trees; the density of young plants of $P$. nagi become high in the area around female trees but low in the area around male trecs; seed dispersal of $N$. aciculata is sufficient to occur at any point within the forest; and the regeneration of $N$. aciculata is facilitated where $P$. nagi plants are uncommon and competition is therefore less intense.


## Focal species

Podocarpus nagi (Thunb.) Zoll. et Moritz. (Podocarpaccac) is a dioccious gymnosperm, a native of southwestern Japan, Taiwan, and southern China. The shade tolerance is high (Kohyama \& Grubb 1994) to ‘cxtremely high’ (Suganuma \& Kawai 1978). The sceds are round and $10-15 \mathrm{~mm}$ in diameter and are dispersed by gravity.

Neolitsea aciculata (Blume) Koidz. (Lauraceae) is a dioccious angiosperm, growing in warm-temperate forests of southwestern Japan. The shade tolerance is high (Kohyama \& Grubb 1994). The fruit is an ellipse about 10 mm in length and contains one secd. The seeds are dispersed by birds (Nakanishi 1996; Noma \& Yumoto 1997).

## Study site

The study forest was located on a low hill, Mt. Mikasa ( 294 m alt., $34^{\circ} 41^{\prime} \mathrm{N}, 135^{\circ}$ 51’E), Nara City, Japan. The forest is adjacent to Nara Park, where the Sika deer (Cervus nippon Temminck) population has been conserved as holy animals by the Kasuga Shinto Shrine established in the early eighth century. The population density of deer around the forest has been constant at about 1000 head since the 1960's (the Society of Deer Conservation, Nara 1994; Ohmac et al. 1996). The deer feed freely and have been influential to the structure and species composition of vegetation in and around the forest.

The Nara Metcorological Station ( 104 m alt.) recorded an average annual temperature (1961-1990) of $14.4^{\circ} \mathrm{C}$ and precipitation (1961-1990) of 1354.7 mm . The natural vegetation in this area is an evergreen broad-lcaved forest (Suganuma \& Kawai 1978). The prescrved forest at Mt. Kasuga adjacent to Mt. Mikasa is dominated by

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cyergreen oak specics (Naka 1982). The vegetation around Mt. Mikasa is, however, altered by the hrowsing pressure of abundant deer and characterized by unpalatable specics, such as P. nagi, N. aciculata, Pieris japonica (Thunb.) D. Don and Ilhcium religiosum Sicb. ct Zucc. (Koshimizu et al. 1971; Suganuma \& Kawai 1978; Shimoda et al. 1994; Ohmac et al. 1996). These species cscaped from the browsing pressure by a chemical defense mechanism (Takatsuki 1989).

At ML. Mikasa, the deer population has been inחuencing the altered vegetation consisted of unpalatable species. Among these species $P$. nagi is the most abundant. Podocarpus nagi is not a native species in this area. The population of $P$. nagi at Mt. Mikasa is belicved to be derived from trees transplanted about 1000 years ago around the Kasuga Shinto Shrine located at a foot of Mt. Mikasa (Suganuma \& Kawai 1978). The P. nagi population has been expanding its distribution from the foot to the peak of Mt . Mikasa. Koshimizu et al. (1971) and Suganuma \& Kawai (1978) considered that P. nagi replaced all the native tree species by its superior shade tolerance. However, several native species grow mixed. Neolitsea aciculata is especially abundant. We consider that $N$. aciculata is a codominant species with $P$. nagi. In a natural evergreen forest, Yakushima Island, southern Japan, the two species are major components of the forest canopy (Aiba \& Kohyama 1997). Podocarpus nagi is superior in shade tolerance, while N. aciculata is superior in growth ratc in improved light conditions (Aiba \& Kohyama 1997).

## Chapter 2

## Dioecy-induced spatial patterns of two codominant tree species, Podocarpus nagi and Neolitsea aciculata

## Introduction

Analysis of the spatial patterns of plants is a useful approach to detect the interactions among plants, both intra- and interspecific, because the spatial patterns often preserve the cvidence of their interactions (Piclou 1977; Greig-Smith 1979; Silvertown \& Wilson 1994). Since plants are sessile, the location of parent plants and their seed dispersal ability initially determine the spatial pattern of their offspring (Augspurger 1983; Houle 1992) and eventually affect the spatial structure of populations (Hubbell 1979; Sterner et al. 1986; Armesto et al. 1991). The offspring interact with the neighbouring plants Uhrough competition for limiting resources, i.c., light, water, and nutrients. The growth and mortality of both offspring and neighbouring plants are influenced by their distance, local density, size, and species composition (Black 1960; Harper 1977; Mack \& Harper 1977; Antonovics \& Levin 1980; Weiner 1984; Kenkel 1988; Condit et al. 1994; Peterson \& Squiers 1995a, b; Kcnkel et al. 1997).

Spatial patterns of plants have been studied in hermaphrodite or monoccious species, of which all parent plants can produce secds. In the case of dinecious species, when the number of male and fernale plants in a population is the same, only half of the parent plants contribute to secd dispersal. The decrease in the number of seed sources in dioccious species can result in a greater spatial heterogencity of offspring density than in hermaphrodite or monoccious specics. The spatial heterogeneity of plant density is influential to the community structure and dynamics (Greig-Smith 1979; Pcterson \& Squiers 1995a, b). However, the effects of diocey on the spatial structure of populations have not been studied in detail yet. There are several studies on the spatial pattern of dioccious species, but few studies of them consider the dioecy (e.g. Gibson \& Menges 1994).

Here, we analysed the spatial patterns of a forest community dominated by two dioccious tree species, that have different seed dispersal modes and shade tolerances. We have three purposes: (1) to detect the effects of dioccy on the spatial patterns of the two
spectes, (2) to evaluate the difference of the dioecy effects on the spatual patterns between the two species, and (3) to examine whether the dioccy affects the interactions of the twe species.

One of the two species is Podocarpus nagi (Thunb.) Zoll. et Montz. (Podocarpaceac). The sceds of $P$. nagi are dispersed by gravity alone. The other is Neolitsea aciculata (Blume) Koidz. (Lauraceac). Neolitsea aciculata is a bird-dispersed species. Thus the seed dispersal range of $P$. nagi is narrower than that of N. aciculata. The narrow secd dispersal is expected to reveal the heterogencity of spatial distribution of the offspring caused by dioccy, while the wide seed dispersal may moderate the spatial heterngencity.

The coexistence of species is facilitated by a trade-off between relative competitive and dispersal ability, i.c., superior competitors have inferior dispersal abililics and vice versa (Skellam 1951; Hulchinson 1975; Hanski \& Ranta 1983; Marino 1991). Podocarpus nagi is superior in shade tolerance while $N$. aciculata is superior in seed dispersal ability. The two species were codominant in our study site. The trade-off between shade tolerance and seed dispersal ability may promote the coexistence of $P$. nagi and $N$. aciculata. Furthermore, the spatial heterogeneity of $P$. nagi caused by dioccy may also influence the behaviour (establishment and growth) of $N$. aciculata. We tried to examine the probability of cocxistence of the two species through the dioccy effects.

## Methods

## Field methods

In 1988, a 40 m width $\times 370 \mathrm{~m}$ length ( 1.48 ha ) plot was established from the foot to the peak of Mt. Mikasa, along which the $P$. nagi population was considered to be expanding ths distribution. The plot was divided into $5 \mathrm{~m} \times 5 \mathrm{~m}$ quadrats. Within each quadrat, the x and $y$ coordinates to the centre of all plants larger than 5 cm in stem diameter at breast height (d.b.h., 130 cm above ground level) were mapped, and their species and size were recorded. The total number of P. nagi, N. aciculata and other species were 1227 , 1568 and 263, respectively. Podocarpus nagi and N. aciculata are codominant in the plot. Although the biological invasion by $P$. nagi is an interesting phenomenon, in this paper we focused on the effects of dioccy on spatial patterns and the coexistence mechanism of $P$. nagi and $N$. aciculata. For this purpose, we selected the bottom $40 \mathrm{~m} \times 40 \mathrm{~m}$ part of
the whole plot to carry out intensive investigation, hecause we considered that in the hottom part, sufficient time had elapsed after $P$. nagi invasion and spatial patterns ohserved were highly representative for detecting the eventual results of interspecific interaction between $P$. nagi (invader) and $N$. aciculata (native species). In the upper part of the plot, $P$. nagi had invaded recently and interspecific interaction might still be in process. The comparison between the density of $P$. nagi trees latger than 5 cm d.b.h. in the $40 \mathrm{~m} \times 370 \mathrm{~m}$ plot ( $829 / \mathrm{ha}$ ) and that in the bottom $40 \mathrm{~m} \times 40 \mathrm{~m}$ part ( $1663 / \mathrm{ha}$ ) suggested the earlicr invasion of $P$. nagi in the bottom part. In the $40 \mathrm{~m} \times 40 \mathrm{~m}$ plot, from July to August 1993, all plants including one-year old seedlings were mapped, and their species and size were recorded.

For each plant larger than 5 cm in d.b.h., reproductive organs were observed using binoculars and sex was discriminated. The degree of reproductive production in each tree was recorded in five classes. For P. nagi, strobili were observed in 1989, 1991, 1993 and 1995. For N. aciculata, inflorescence was observed in 1989 and every year from 1991 to 1997. In 1991, P. nagi produced many sceds. To observe the sced dispersal pattern of $P$. nagi, the plot was divided into $1 \mathrm{~m} \times 1 \mathrm{~m}$ quadrats. Between May and July 1992, when most seeds had fallen and had not germinated, the number of seeds of $P$. nagi on the forest floor was counted within each quadrat.

## Data analysis

The life stage of each species was distinguished on the basis of age and size. The population of $P$. nagi was divided into four stages, i.c., one-year old seedlings ( $1-\mathrm{yr}$ secdlings), saplings (d.b.h. $<5 \mathrm{~cm}$ ), small trees ( $5 \leq$ d.b.h. $<30 \mathrm{~cm}$ ) and large trees (d.b.h. $\geq 30 \mathrm{~cm}$ ). The population of $N$. aciculata was divided into three stages, i.e., $1-\mathrm{yr}$ secdlings, saplings (d.b.h. $<5 \mathrm{~cm}$ ) and large trees (d.b.h. $\geq 5 \mathrm{~cm}$ ). Wider size intervals were used for $N$. aciculata than $P$. nagi because sample size was too small for tests if finer divisions were used. For both species, large trees were further divided into male, female and unsexed trees. The unsexed trecs lacked reproductive organs during observations.

Univariate spatial patterns of plants were analysed using Ripley's $K(t)$ function (Ripley 1977). The function $\lambda K(t)(\lambda=$ intensity) is defined as the expected number of plants within distance $t$ of an arbitrary plant. The unbiased estimate of $K(t)$ is defined as
$K(t)=n^{2}|\Lambda| \sum_{i \neq j} \sum_{i j}^{-1} I_{t}\left(u_{i j}\right)$,
where $n$ is the number of plants in a plot $\Lambda$; $|\mathrm{A}|$ denotes plot area; $\mu_{1}$ is the distance between $i$ th plant and $j$ th plant in $\mathrm{A} ; I_{1}(u)$ is equal to 1 if $u \leq t$ and 0 otherwise: $w_{y}$ is the proportion of the circumference of a circle with centre at $i$ th plant and radius $u_{i j}$ that lics within A; and summation is for all pairs of plants not more than $t$ apart (Riplcy 1977; Diggle 1983; Upton \& Finglcton 1985).

A square-root transformation of $K(t)$ suggested by Besag (1977) is casier to use:

$$
\begin{equation*}
L(t)=[K(t) / \pi]^{1 / 2} \cdot t, \tag{2}
\end{equation*}
$$

A value of $L(t)=0$ indicates that the spatial pattern at distance $t$ is random. Values of $L(t)$ $>0$ indicate clumped distribution, whilst valucs of $L(t)<0$ indicate regular distribution.

Spatial interactions between two groups of plants were analyzed using the bivariate function $L_{12}(t)$, a transformation of function $K_{12}(t)$ (Lotwick \& Silverman 1982):
$L_{12}(t)=\left[K_{12}(t) / \pi\right]^{1 / 2}-t$,

The function $K_{\mathrm{t} 2}(t)$ is a gencralization of the function $K(t)$ to a bivariate point process $L_{12}(t)=0$ indicates that the two groups are spatially independent, values of $L_{12}(t)>0$ indicate positive association (attraction) and values of $L_{12}(t)<0$ indicate negative association (rcpulsion).

Significance of both functions was determined with Montc Carlo simulations (Besag 1977; Besag \& Diggle 1977; Marriott 1979). For the univariate spatial pattern of plants, the null hypothesis is complete spatial randomness. For the bivariate spatial interactions between two groups, the null hypothesis is spatial independence. Ninety-five per cent confidence envelopes were defined as the highest and lowest values of $L(t)$ or $L_{12}(t)$ for each spatial scale found in 19 analyses of random point distributions. Ninctynine per cent confidence envelopes require 99 simulations. See carlicr uses of $L(t), L_{12}(t)$ and Monte Carlo simulations in West (1984), Prentice \& Werger (1985), Sterner et al. (1986), Kcnkel (1988, 1993), Hatton (1989), Rcbertus et al. (1989), Duncan (1991), Andersen (1992), Peterson \& Squiers (1995b), Haase (1995), Kcnkel et al. (1997) and Fulé \& Covington (1998).

In this study 'degrec' and 'scale' of clumping are defined following Rehertus ot al. (1989). 'Degree' refers to the magnitude of the deviation from randomness. 'Scalc' refers to pattern at a particular radius around each plant. The distance with maximum clumping value (peak) suggests the radius of clumps.

## Results

## Species composition

The plot contained a total of 25 woody specics. Podocarpus nagi and Neolitsea aciculata accounted for $79 \%$ and $16 \%$ of all 7225 plants, respectively (Table 2.1). The other 23 specics occupied only $5 \%$. Of 368 plants larger than 5 cm d.b.h, P. nagi, N. aciculata and other 12 species accounted for $72 \%, 20 \%$ and $8 \%$, respectively (Table 2.1).

Table 2.1. Number of plants of woody species in the $40 \mathrm{~m} \times 40 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan

|  | Number |  |  |
| :--- | :--- | :---: | ---: |
| Species | d.b.h. $<5 \mathrm{~cm}$ | d.b.h. $\geq 5 \mathrm{~cm}$ | Total |
| Podncarpus nagi | 5442 | 266 | 5708 |
| Neolitsea ariculata | 1062 | 73 | 1135 |
| Other wondy species |  |  |  |
| Evergreen broad-leaved (10 spp.) | 292 | 13 | 305 |
| Deciduous broad-leaved (5 spp.) | 12 | 6 | 18 |
| Evergreen conifers (2 spp.) | 6 | 2 | 8 |
| Climbers ( 6 spp.) | 43 | 8 | 51 |
| Total | 6857 | 368 | 7225 |

## Sex ratios of Podocarpus nagi and Neolitsea aciculata

The sex ratio of large $P$. nagi trees did not differ from the null hypothesis of a $1: 1$ ratio (Table 2.2). However, small sexed trees ( $40 \%$ of a total) were significantly male biased ( $P<0.01$ ) with a male/female ratio of 1.90 . The sex expression of 133 out of 266 trecs larger than 5 cm in d.b.h. was not determined. The number of unsexed trees tended to decrease with increasing tree size and all trees larger than 24.2 cm in d.b.h. were sexed. The degree of seed production of smaller female trees was lower than that of larger female trees. Thus the influence of the smaller female trees, which are sexed or unsexed, on the spatial pattern of $P$. nagi population is expected to be small.

There was a significant malc dominance in $N$. actculata $P<0.05$, Tabic 2.2). Of all large $N$. aciculata trecs, $22 \%$ were female, $45 \%$ male, and $33 \%$ unsexed. Trece with a higher degree of flower production showed a constant flowering during the 8 years of observation. The seed production of any unsexed trees that had produced seeds before the study period is expected to be less influential on the spatial pattern.

Table 2.2. Number of plants according to each life stage and sex of Podocarpus nagi and Neolitsea aciculata in the $40 \mathrm{~m} \times 40 \mathrm{~m}$ plot at ML. Mikasa, Nara City, Japan. For plants larger than 5 cm in d.b.h., reproductive organs and sex expression were ohserved. The chi-square statistic compared the number of male and female plants and was calculated based on the expected 1:1 male to female sex ratio; * $P<0.05$, ** $P<0.01$, n.s. $P \geq$ 0.05

Podocarpus nagi

| Life stage | Iotal | Male | Female | Unsexed | Male/Femate | Chi-square |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Onc year seedlings | 337 |  |  |  |  |  |  |
| Saplings (d.b.h $<5 \mathrm{~cm}$ ) | 5105 |  |  |  |  |  |  |
| Small trees ( $5 \leq$ d.b.h. $<30 \mathrm{~cm}$ ) | 220 | 57 | 30 | 133 | 1.90 | 8.38 | ** |
| Large trees (d.b.h. $\geq 30 \mathrm{~cm}$ ) | 46 | 24 | 22 | 0 | 1.09 | 0.09 | n.s |
| Small and large trees (d.b.h. $\geq$ | 266 | 81 | 52 | 133 | 1.56 | 6.32 | * |

Neolitsea aciculata

| Life stage | Total | Male | Female | Unsexed | Male/Temale | Chi-square |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Onc-year seedlings | 197 |  |  |  |  |  |  |
| Saplings (d.b.h. $<5 \mathrm{~cm}$ ) | 865 |  |  |  |  |  |  |
| Large trees (d.b.h. $\geq 5 \mathrm{~cm}$ ) | 73 | 33 | 16 | 24 | 2.06 | 5.90 | * |

Seed dispersal of Podocarpus nagi

There were 18646 ( $11.7 \mathrm{~m}^{7}$ ) seeds of $P$. nagi in the $40 \mathrm{~m} \times 40 \mathrm{~m}$ plot (Fig. 2.1). The highest density was $344 \mathrm{~m}^{2}$. Clumps of seeds were observed under canopies of latge female trees. The density of seeds decreased with increasing distance from the centre of the clump, and little seeds were found $>7 \mathrm{~m}$ from the centre of the clump (Figs 2.2 and 2.3).


Fig. 2.1. Distribution map of fallen seeds of Podocarpus nagi on the forest floor in the $40 \mathrm{~m} \times 40 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan. The size of circles indicates the number of seeds in cach $1 \mathrm{~m} \times 1 \mathrm{~m}$ quadrat. Asterisks indicate locations of stem bases of female trees that had produced seeds in the previous year, 1991.


Fig. 2.2. Distribution of fallen seeds of Podocarpus nagi in a clump, the centre of which is at $x=11.5 \mathrm{~m}$ and $\mathrm{y}=28.5 \mathrm{~m}$ in Fig. 2.1. The area of each circle is proportional to the number of seeds in each $1 \mathrm{~m} \times 1 \mathrm{~m}$ quadrat. The asterisk indicates the location of the stem base of a female tree that produced seeds in 1992.


Fig. 2.3. Seed density in relation to the distance from the centre of a seed clump of Podocarpus nagi in Fig. 2.2. The mean number of seeds in $1 \mathrm{~m} \times 1 \mathrm{~m}$ quadrats located at the same distance from the centre. Bars indicate standard errors. Fitted line; $f(x)=$ $1 /[0.00116 \exp (0.843 x)+0.00547], r^{2}=0.989$.

## Spatial pattern of Podocarpus nagi

Analysis of the spatial distribution of P. nagi (Fig. 2.4) showed that $1-\mathrm{yr}$ seedlings and saplings were significantly ( $P<0.01$ ) clumped at distances of $1-15 \mathrm{~m}$ (Figs 2.5 a and b ). Small trecs were significantly ( $P<0.01$ ) clumped at $2-15 \mathrm{~m}$ (Fig. 2.5c). One-yr seedlings were maximally clumped at 5 m . This suggested that clumps of $1-\mathrm{yr}$ secdlings had about a 5 m radii. Sapling and small trees did not show a distinct peak. Magnitude of departure from randomness became smaller in the order of 1-yr secdlings, saplings and small trees, implying that the degree of clumping of plants decreased progressively with increasing plant size. Large trees showed a significant regular distribution al $3 \mathrm{~m}(P<$ $0.05), 46 \mathrm{~m}(P<0.01)$ (Fig. 2.5d). The $L(t)$ value of large trees was lowest at 5 m . This suggested that there was a tendency for larger trees not to occur within a 5 m distance of each other.

Onc-yr secdlings of $P$. nagı showed a significant attraction to large female trees at 5-6 $\mathrm{m}(P<0.05)$ and $14-15 \mathrm{~m}(P<0.01)$ (Fig. 2.6a), and a significant repulsion from large male trees at $1-4 \mathrm{~m}(P<0.05)$ (Fig. 2.6d). Saplings showed a significant attraction to large female trees at $2 \mathrm{~m}(P<0.05), 3-4 \mathrm{~m}(P<0.01)$ and $5 \mathrm{~m}(P<0.05)$ (Fig. 2.6 b ), and a significant repulsion from large male trees at $1 \mathrm{~m}, 3-4 \mathrm{~m}(P<0.05)$ (Fig. 2.6c). Small trees showed no significant departure from independence of large female trecs at $1 \mathrm{~m}, 3-15 \mathrm{~m}$ (Fig. 2.6c) and significant repulsion from large male trecs at $5-7 \mathrm{~m}$ $(P<0.01), 8-11 \mathrm{~m}(P<0.05)$ and 12-13 m $(P<0.01)$ (Fig. 2.6ก). Thus, largc fcmalc trees were accompanied by a significantly large number of neighbouring 1-yr secdlings and saplings, while there was a tendency for $1-y r$ seedlings, saplings and small trees not to occur around large male trees.


Fig. 2.4. The spatial distribution of the Podocarpus nagi population in the $40 \mathrm{~m} \times 40 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan: (a) 1 -yr old scedlings ( $n=337$ ), (b) saplings ( $n=$ 5105), (c) small trecs $(n=220)$, (d) large trees $(n=46)$.


Fig. 2.5. $L(t)$ valucs for the Podocarpus nagi population: (a) 1-yr old secdlings, (b) saplings, (c) small trecs, (d) large trecs. The solid line shows actual $L(t)$ values for extant plants, dotted lines and broken lines show $95 \%$ and $99 \%$ confidence envelopes for the pattern expected from a random distribution of plant locations, respectively. Values outside the envelopes indicate significant departure from randomness.


Fig. 2.6. $L_{12}(t)$ valucs of bivariate distribution of Podocarpus nagi population: (a) 1-yr seedlings vs. large female trecs, (b) saplings vs. large female trees, (c) small trees vs. large female trees, (d) $1-\mathrm{yr}$ secdlings vs. large male trees, (c) saplings vs. large male trees, (f) small trees vs. large male trecs. The solid line shows actual $L_{12}(t)$ values for cxtant plants, dotted lines and broken lines show $95 \%$ and $99 \%$ confidence envelopes for the pattern expected from an independent distribution of plant locations, respectively.

## Spatial pattern of Neolitsea aciculata

The spatial distribution of $N$. aciculata (Fig. 2.7) was analysed. One-yr secdlings and saplings were significantly clumped at distances of $1-15 \mathrm{~m}(P<0.01)$ (Figs 2.8a and b). Latge trees were significantly clumped at $1 \mathrm{~m}(P<0.05)$ and $2-13 \mathrm{~m}(P<0.01)$ (Fig. 2.8c). The pattern of clumping in $1-\mathrm{yr}$ secdlings indicated an indistinct peak at a distance around $9-12 \mathrm{~m}$. Clumps of $1-\mathrm{yr}$ secdlings of $N$. aciculata were indistinct and larger than those of $P$. nagi (Figs 2.5 a and 2.8a). Saplings did not show a peak. Large trees indicated a distinct peak at 7 m . Large trees were more distinctly clumped than $1-\mathrm{yr}$ seedlings and the clump radii were smaller than those of $1-\mathrm{yr}$ seedlings.

One-yr secdlings were spatially independent of large female and large non-female (male and unsexcd) trees at $1-15 \mathrm{~m}$ (Figs 2.9a and c). Saplings were spatially independent of large female trees at $1-15 \mathrm{~m}$ (Fig. 2.9b) and showed a significant repulsion at $3-5 \mathrm{~m}(P<0.05)$ from large non-female trecs (Fig. 2.9d).


Fig. 2.7. The spatial distribution of Neolitsea aciculata population in the $40 \mathrm{~m} \times 40 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan: (a) 1-yr scedlings ( $n=197$ ), (b) saplings ( $n=$ 865), (c) large trees $(n=73)$.


Fig. 2.8. $L(t)$ values of Neolitsea aciculata population: (a) 1-yr scedlings, (b) saplings, (c) large trees. Conventions as in Fig. 2.5.


Fig. 2.9. $L_{12}(t)$ valucs of bivariate distribution Neolitsea aciculata population: (a) 1-yr scedlings vs. large female trecs, (b) saplings vs. large female trees, (c) 1-yr scedlings vs. large male and unsexed trees, (d) saplings vs. large male and unsexed trees. Conventions as in Fig. 2.6.

## Spatial interaction between Podocarpus nagi and Neolitsea aciculata

The spatial distribution of $N$. aciculata trees and large male and female $P$. nagi trees was analysed (Fig. 2.10). Bivariate analyses indicated that $1-y r$ scedlings and saplings of $N$. aciculata were spatially independent of large male and femaic P. nagi trees (Figs 2.11a, $\mathrm{b}, \mathrm{d}$ and c ). Large $N$. aciculata trees showed a significant attraction to large male $P$. nagi trees at distances of $1 \mathrm{~m}(P<0.01), 3-6 \mathrm{~m}$ and $8-11 \mathrm{~m}(P<0.05)$ (Fig. 2.110), and a weak non-significant repulsive tendency from large female $P$. nagi trees at $5-7 \mathrm{~m}$ (Fig. 2.11c).


Fig. 2.10. Locations of large trees of Podocarpus nagi and Neolitsea aciculata in the 40 $\mathrm{m} \times 40 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan. Solid circles, open circles and triangles represent large female trecs of $P$. nagi, large male trees of $P$. nagi and large trees of $N$. aciculata, respectively.


Fig. 2.11. $L_{12}(t)$ values of bivariate distribution of Neolitsea aciculata population and large trees of Podocarpus nagi: (a) 1-yr seedlings of $N$. aciculata and vs. large female trees of $P$. nagi, (b) saplings of $N$. aciculata vs. large female trees of $P$. nagi, (c) large trees of $N$. aciculata vs. large female trees of $P$. nagi, (d) 1-yt scedling of $N$. aciculata vs. large male trees of $P$. nagi, (e) saplings of $N$. aciculata vs. large male trees of $P$. nagi, ( $\cap$ large trees of $N$. aciculata vs. large male trees of $P$. nagi. Conventions as in Fig. 2.6.

## Chapter 2

## Discussion

The effects of seed dispersal ability and dioecy on the spatial pattern

The spatual pattern of plant specics appears to be affected by the means of seed dispersion (Hubbell 1979; Briggs \& Gibson 1992). The clumped distribution of small Podocarpus nagi plants could be explained in terms of small dispersal ability as often discussed (Prentice \& Werger 1985; Sterner et al. 1986; Hatton 1989). Distribution of parent plants is also considered to affect the spatial heterogencity of small plants. Spatial patterns of $P$. nagi shifted to a more regular distribution with increase of size (or age) as reported in many sludics (Laessle 1965; Sterner et al. 1986; Kenkel 1988; Duncan 1991; Kenkel et al. 1997; Fule \& Covington 1998). This shift is expected to weaken the spatial heterogeneity of small plants. However, the density of small plants under half of the parent trees (male trees) of $P$. nagi was very low. Dioecy may create two phases with a different density of small plants in the area where $P$. nagi trees are dominant.

Among the various seed dispersal systems, bird dispersal is characterized by a wide distribution of seeds (Hubbell 1979; Murray 1988), and a high proportion of seeds is removed from the vicinity of the parent plants (Holthuijzen et al. 1987). For Neolitsea aciculata, the range of seed dispersal has been suggested to be so broad that the spatial pattern of small plants did not depend on the location of the female trees. Wide seed dispersal of $N$. aciculata weakened the effect of diocey on the spatial heterogeneity of population structure.

## Proposed three-phase dynamics model of coexistence

Briggs \& Gibson (1992) observed a more clumped distribution with increasing trec height for three tree species and suggested that differential mortality of juveniles may promote clumping. Large $N$. aciculata trees showed distinct clumps and a significant attraction to large male $P$. nagi trees and a weak non-significant repulsive tendency with large female $P$. nagi trees. These results suggested that mortality and growth of $N$. aciculata were different under large male and female $P$. nagi trees and the environment around large male $P$. nagi trees might be the regeneration niche (Grubb 1977) for $N$. aciculata.

We propose a tentative threc-phase dynamics model for explaining the mechanisms underlying the spatial patterns and examine the probability of coexistence of
the two species (Fig. 2.12). The model is based on the following assumptions: (1) $P$. nagi is more shade tolerant than N. aciculata; (2) P. nagi has limited seed dispersal around large female trees; and (3) N. aciculata has sufficient seed dispersal ability to occur arbitrary throughout the forest.


Fig. 2.12. Schematic diagram of regeneration patterns in Podocarpus nagi and Neolitsea aciculata suggested by spatial analyses. Direction of replacement in canopy trees is shown by arrows. The solid lines with arrow heads indicate transitions that occur frequently, and the broken line with arrow heads indicate transitions that occur occasionally.

Forest stands were divided into three phases based on the canopy trees: M-phase, where male $P$. nagi dominated the canopy; F-phase, where female $P$. nagi dominated the canopy; and N-phase, where $N$. aciculata or other species dominated the canopy. The
density of young $P$. nagi plants is higher at the F-phase and lower at the M phase. At the F-phase, canopy trees are regencrated by $P$ nagi with a high probability, hecause of the high density of successive young $P$. nagi plants. If the regenerated tree is femaic $P$. nagi, the F-phase is replaced by the F-phase, and if the regenerated tree is male $P$. nagi. the $F$ phase is replaced by the M-phase. At the M-phase, $N$. aciculata can grow because the light level is sufficient due to the low density of competitive $P$. nagi plants. After male $P$. nagi trees die at the M-phase, the probability of replacement from the M-phase to the N phase is higher than the probability of other replacements. Even if P. nagi onec uccupied a given area, the area becomes the M-phase with $50 \%$ probability and will be replaced by other species. On the other hand, seedlings of $N$. aciculata occur arbitrarily throughout the three phases.

The model suggested that cocxistence of $N$. aciculata with $P$. nagi could be facilitated by the environment under large male $P$. nagi trees, in which understory competition for light was considered to be much less intense for $N$. aciculata. In the area occupied by P. nagi, male P. nagi trecs, which accounted for $50 \%$ of reproductive trecs, were expected to create incvitably the environment in which density of young $P$. nagi plants was low. This appeared to be the dioccy effect on spatial structure of $P$. nagi population. The creation of the regencration niche (Grubb 1977) for N. aciculata might. be caused by the wide seed dispersal range of $N$. aciculata and the population structure of P. nagi itself. Our model was based on the location of trees at one time and they should be tested by further information on forest dynamics, i.c., measurements on the germination, growth, survival and mortality.

## Chapter 3

## Sex ratio and gender-dependent neighbouring effects in Podocarpus nagi, a dioecious tree species

## Introduction

In dioccious plants, life history traits are often sex-related. Males, in comparison with females, showed smaller mature size or younger mature age (Clark \& Clark 1987; Thomas \& LaFrankic 1993), greater vegetative growth rate (Lloyd \& Webb 1977; Hoffmann \& Alliende 1984; Obeso 1997), higher survival rate (Lloyd \& Webb 1977; Lovett Doust \& Lovett Doust 1988; Allen \& Antos 1993) and superior competitive ability (Onyckwelu \& Harper 1979; Cox 1981; Herrera 1988; Alliende \& Harper 1989). These intersexual differences were often explained by a higher reproductive cost in females than in males.

The gender-dependent life history traits induced sex-related population structures. Scx ratios were often male-biased (Opler \& Bawa 1978; Waser 1984; Clark \& Clark 1987; Lovett Doust \& Lovett Doust 1988; Vasiliauskas \& Aarssen 1992; Thomas \& LaFrankic 1993; Gibson \& Menges 1994; Nicotra 1998), though a female bias also was obscrved (Opler \& Bawa 1978; Dawson \& Bliss 1989; Alliende \& Harper 1989). Different size structure was obscrved between sexes because males were often overrepresented in particular size classes (Opler \& Bawa 1978: Ackerly et al. 1990; Thomas \& LaFrankic 1993). Spatial variation in resource availability caused spatial segregation of males and females. Males were more common in a harsher environment, such as xcric and poor nutrient sites (Frecman et al. 1976; Grant \& Mitton 1979; Bicrzychudek \& Eckhart 1988; Dawson \& Bliss 1989; Iglesias \& Bell 1989). In the local scale, analyses in plant to plant distances suggested that intersexual differences in resource requirement and competitive ability might cause spatial patterns in males and femaics (Herrera 1988; Alliende \& Harper 1989).

Scx ratio and sex-related spatial structures could affect population dynamics of dioecious species. The sex ratio of a population influences on the amount of total seed production (Mack 1997; Van Uden et al. 1998). The location of seed sources and their secd dispersal ability determined the initial spatial pattern of offspring (Augspurger 1983:

Houlc 1992) and ceventual spatial structure of populations (Hubbell 1974, Sterner el al 1989; Armesto et al. 1991). In Chapter 2, the spatial patterns of two codominant dioccious tree specics, Podocarpus nagi (Thunb.) Zoll. ct Moritz. (Podocarpaceac) and Nenlisea aciculata (Blume) Koidz. (Lauraccac) were analysed. Podocarpus nagi has a higher shade tolerance but narrower seed dispersal range than $N$. aciculata. They suggested that the dioccy-induced spatial heterogeneity of plant density in the $P$. nagl population might facilitate the growth of $N$. aciculata under male $P$. nagi trees where young $P$. nagi trees were uncommon.

The abundance and location of seed sources, i.c. sex ratio and sex-related spatial structure of $P$. nagi could be crucial factors for regeneration of $P$. nagi and $N$. aciculata. We aimed to evaluate the driving force of sex-related population structures of $P$. nagi and to discuss the effects of sex-related population structures of $P$. nagi on the community dynamics of $P$. nagi and $N$. aciculata. We analysed sex-related population structure and life history traits of $P$. nagi at various size classes: (1) sex ratio of reproductive trees; (2) growth rates of males and females; (3) spatial patterns of males and females; 4) the intensity of competition within sexes and between sexes. For long-lived plants, investigations accounting for sex and size/age interactions are uscful to understand the processes in developing sex-related population structures (Alliende \& Harper 1989; Vasiliauskas \& Aarssen 1992; Allen \& Antos 1993; Gibson \& Menges 1994; Nicotra 1998).

## Methods

## Field methods

In 1988, a 1.48 ha plot ( $40 \mathrm{~m} \times 370 \mathrm{~m}$ ) was established from the foot to the peak of Mt . Mikasa (Chapter 2). The plot was divided into $5 \mathrm{~m} \times 5 \mathrm{~m}$ quadrats. Within cach quadrat, the $x$ and $y$ coordinates of the centre of all plants larger than 5 cm in stem diameter at breast height (d.b.h., 130 cm above ground level) were mapped, and their species and size were recorded. The total numbers of $P$. nagi, N. aciculata and other species within the plot were 1217,1546 and 264 in 1992, respectively. For each plant of $P$. nagi within the whole plot larger than 5 cm in d.b.h., sex was determined by observing reproductive organs through binoculars. Strobili were observed for cach trec in 1.989, 1991, 1993 and 1995 because P. nagi reproduced every two years (S. Nanami, H. Kawaguchi \& T.

Yamakura, unpublished data).
In March 1992, aluminum band type dendrometer (Hall 1944; Liming 1957) was installed on each tree at breast height ( 130 cm above ground level). This instrument consists of a band of aluminum for encircling the tree trunk in place by a coil spring. When the plot was resampled annually, tree status (living or dead) was recorded and diameter growth of a trunk was measured by the slide length of aluminum band from 1992 to 1998.

## Data analysis

We carried out data analyses in the lower $40 \mathrm{~m} \times 280 \mathrm{~m}$ part of the plot, because in the upper $40 \mathrm{~m} \times 90 \mathrm{~m}$ part of the plot $P$. nagi had searcely invaded yet and the density of $P$. nagi is lower than in the whole plot ( 81 ha 'vs. 822 ha '). The population of $P$. nagi was divided into groups depending on sex (male. female and unsexed) and size (d.b.h. classes) for the following analyses.

Deviation of sex ratio from 1:1 was tested by chi-square test on the whole population and on several size classes.

To detect gender-dependent spatial structures and effects of local competition on growth, a simple dichotomy of size classes, $5 \leq$ d.b.h. $<30 \mathrm{~cm}$ and d.b.h. $\geq 30 \mathrm{~cm}$ in 1992, was employed for sexed P. nagi trees (Chapter 2). All trees with d.b.h. $\geq 30 \mathrm{~cm}$ reproduced except one trec with a d.b.h. of 30.0 cm .

Spatial patterns of trees within sexes or sizes were analysed using Ripley's $K^{\prime}(t)$ function (Riplcy 1977; Diggle 1983; Upton \& Fingleton 1985). The $K(t)$ function uscs all tree-tree distances to provide a measure of spatial pattern at various distances $t$.

A square-root transformation of $K(t)$ suggested by Besag (1977) is easier to usc:
$L(t)=|K(t) / \pi|^{1 / 2}-t$

A value of $L(t)=0$ indicates that the spatial pattern at distance $t$ is random. Values of $L(t)$ $>0$ indicate clumped distributions, whilst values of $L(t)<0$ indicate regular distributions.

Spatial interactions between two groups of trees were analysed using the bivariate function $L_{12}(t)$, a transformation of function $K_{12}(t)$ (Lotwick \& Silverman 1982):
$I_{10}(t)=\left[K_{12}(t) / \pi\right]^{1 / 2}-t$

A value of $L_{12}(t)=0$ indicates that the two groups are spatially independent, values of $L_{12}(t)>0$ indicate a positive association (attraction) and values of $L_{12}(t)<0$ indicate a negative association (repulsion).

Significance of deviations from the null hypothesis was determined with Monte Carlo simulations (Besag 1977; Besag \& Diggle 1977; Marriotl 1979). The null hypothesis is complete spatial randomness for analysis of the univariate spatial pattern of trees, and spatial independence for analysis of bivariate spatial interactions between two groups. Nincty-five per cent confidence envelopes were defined as the highest and lowest values of $L(t)$ or $L_{12}(t)$ for each spatial scalc found in 19 analyses of random point distributions. Nincty-nine per cent confidence envelopes require 99 simulations. Sce carlicr uses of $L(t), L_{12}(t)$ and Montc Carlo simulations (c.g. Kenkel 1988; Duncan 1991; Peterson \& Squiers 1995; Haase 1995; Chapter 2).

To investigate intra- and intersexual effects of local compctition on the growth of P. nagi, partial correlation cocfficients were calculated between absolute growth rate of stem diameter ( $A G R$ ) and local crowding of neighbouring trees. Tree size was also taken into account for partial correlation analyses, because size dependence of growth rate was often observed (Duncan 1991; Nakashizuka \& Kohyama 1995; Hara et al. 1995; Kubota \& Hara 1995). Partial correlation cocfficient measures the correlation between any pair of variables when other variables are held constant (Sokal \& Rohlf 1995). For calculating indices of local crowding for each target tree, sum of basal area at breast height of "neighbours" were used. This index has been used in Weiner (1984), Nakashizuka \& Kohyama (1995) and Kubota \& Hara (1995). In our study, trees within 5 m from target trees were used as "neighbours" (Duncan 1991; Stoll et al. 1994). Indices of local crowding were calculated for four categories of neighbours, i.c. male $P$. nagi. female $P$. nagi, unsexed $P$. nagi and other species. Trecs within a $30 \mathrm{~m} \times 270 \mathrm{~m}$ part inside of the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot were used as target trees, because trees close to the plot edges had neighbours outside the plot that were not measured.

## Results

## Size distribution

Of 1188 Podocarpus nagi trecs larger than 5 cm in d.b.h. in 1992 in the $40 \mathrm{~m} \times 280 \mathrm{~m}$
plot, 21 trees died by 1998. Of 1167 trees living in 1998, males, females and unsexed trees accounted for 373 (32\%), 213 (18\%) and 581 (50\%), respectively. The shapes of size distribution were different among unsexed, male and female trees (Fig. 3.1).


Fig. 3.1. Frequency distributions of d.b.h. (stem diameter at 130 cm height) in 1992 for (a) unsexed $(n=581)$, (b) male $(n=373)$ and (c) female $(n=213)$ Podocarpus nagi trees in the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan.

Most of the unsexed trees were smaller than 10 cm d.h.h. The number of unsexed trees fended to decrease with increasing tree size and all trees larger than 30.0 cm in d.b.h. were sexed. Male trees showed a L-shaped distribution with a higher skewness and female trees with a lower skewness.

The sex ratio of reproductive trees larger than 5 cm in d.b.h. were significantly male- biased (male/female ratio of $1.75, \chi^{2}=43.7, P<0.001$ ) (Fig. 3.2). Males were predominant in all size classes, and sex ratio were significantly malc-biased in $5 \leq$ d.b.h. $<20 \mathrm{~cm}$ class (male/female ratio of $2.72, \chi^{2}=55.1, P<0.001$ ) and in $\geq 50 \mathrm{~cm}$ d.h.h. class (male/female ratio of $2.55, \chi^{2}=7.41, P<0.01$ ). Sex ratio did not depart from 1:1 in $20 \leq$ d.b.h. $<50 \mathrm{~cm}$ classes.


Fig. 3.2. Relative frequency of unsexed, male and femalc Podocarpus nagi trees in each d.b.h. (stem diameter at 130 cm height) class in 1992 in the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan. Sample size is indicated above each bar. The valucs in parentheses are male/female ratios and significance of deviation from the expected of $1: 1$ scx ratios ( $\chi^{2}$ test); ${ }^{*} P<0.01,{ }^{* *} P<0.001$, NS. $P \geq 0.05$.

## Growth rate

The growth rate of stem diameter had large variations within sexes and size classes (Fig 3.3). For male trees, median growth rate significantly differed among size classes ( $P<$ 0.0001 ). The median growth rate was smaller in the smallest size class ( $5 \leq$ d.b.h. $<20$
cm) than in larger classes (d.b.h. $\geq 20 \mathrm{~cm}$ ). For female trees, significant dependence of growth rate on tree size was not observed.

Females had a higher median growth rate than males in the smallest size class 15 $\leq$ d.b.h. $<20 \mathrm{~cm}$ ) (marginally significant, $P=0.051$, Mann-Whitncy test,) and median growth rates did not significantly differ between sexes in other classes (Fig. 3.3). In d.b.h. $\geq 20 \mathrm{~cm}$ classes, however, 75 th and 90 th percentiles of growth rates of males were larger than those of females, suggesting the proposed male-biased sex ratio of trees with high growth rates.


Fig. 3.3. Boxplot of absolute growth rates ( $A G R, \mathrm{~cm} / 6$ years) of stem diameter of male and female Podocarpus nagi in the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan. Lower, middle and upper lines of each box represent 25 th, 50 th and 75 th percentiles, respectively. The lower and upper whiskers represent 10th and 90th percentiles, respectively. Median of growth rates of male trees are significantly different among size classes ( $P<0.0001$, Kruskal-Wallis test). Values denoted by the same letters are not significantly different from each other at $P<0.05$ (Mann-Whitney test). For female trecs, median of growth rates are not significantly different among size classes ( $P=0.07$, Kruskal-Wallis test).

Thus, we divided the population into four groups based on growth rate (lower and higher than $1.0 \mathrm{~cm} / 6$ years) and d.b.h. (smaller and larger than 20 cm ) and compared sex ratio among groups (Table 3.1). The scx ratio of trecs with high growth rates was significantly malc-biased in d.b.h. $\geq 20 \mathrm{~cm}$ groups.

Table 3.1. The differences of sex ratio between Podocarpus nagi tuees with low and high absolute growth rates ( $A G R, \mathrm{~cm} / 6$ years) of stem diameter were tested hy chi-square test in two size classes. Four males and four females were excluded liom test because growth rates were not determined due to breakdown of dendrometers

|  | 5 $\leq$ d.b h. $<20 \mathrm{~cm}$ in 1992 |  |  | D.b.h. $>20 \mathrm{~cm}$ in 1992 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Number of | Number of | Male/Female | Number of | Number of | Malentemate |
| $0<A G R<1.0$ | 168 | 59 | 2.85 | 136 | 119 | 1.14 |
| $A G R \geq 1.0$ | 18 | 8 | 225 | 47 | 23 | 2.04 |
|  |  |  | NS |  |  | $P<0.05$ |

## Spatial distribution

Analysis of the spatial distribution of $P$. nagi trees (Fig. 3.4) showed that small male trecs ( $5 \leq$ d.b.h. $<30 \mathrm{~cm}$ ) were significantly ( $P<0.01$ ) clumped at all distances between 1 and 15 m (Fig. 3.5a). Small female trees were significantly clumped at $4 \mathrm{~m}(P<0.05)$, $6-15 \mathrm{~m}(P<0.01)$ (Fig. 3.5c). Large male trecs ( $\geq 30 \mathrm{~cm}$ d.b.h.) were significantly clumped at $6-8 \mathrm{~m}(P<0.05), 9-14 \mathrm{~m}(P<0.01)$ and 15 m ( $P<0.05$ ) (Fig. 3.5b). Large female trees showed a random distribution except at 13 m (Fig. 3.5d).



Fig. 3.4. The spatial distribution of male and female Podocarpus nagi trees in the $40 \mathrm{~m} \times$ 280 m plot at Mt. Mikasa, Nara City, Japan: (a) small trces ( $5 \leq$ d.b.h. $<30 \mathrm{~cm}, n=$ 377 ) and (b) large trees (d.b.h. $\geq 30 \mathrm{~cm}, n=209$ ). Solid and open circles show male and female trees, respectively.

Small male and female trees showed a significant attraction at $1 \mathrm{~m}, 45 \mathrm{~m}, 8 \mathrm{~m}$ and $10-15 \mathrm{~m}(P<0.05)$ (Fig. 3.6a). Large male and female trees showed a significant repulsion at $3 \mathrm{~m}(P<0.05)$ and $4 \mathrm{~m}(P<0.01)$ (Fig. 3.6b).


Fig. 3.5. $L(t)$ valucs for the Podocarpus nagi population in the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot at Mt . Mikasa, Nara City, Japan: (a) small male trecs $(n=253)$; (b) large male trees ( $n=120$ ); (c) small female trecs $(n=124)$; (d) large female trees $(n=89)$. The solid line shows actual $L(t)$ values for extant trees, dotted lines and broken lines show $95 \%$ and $99 \%$ confidence envelopes for the pattern expected from a random distribution of trec location, respectively. Values outside the envelopes indicate significant departure from randomness.


Fig. 3.6. $L_{12}(t)$ valucs of bivariate distribution of Podocarpus nagi population in the 40 m $\times 280 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan: (a) small male trees vs. small female trees; (b) large male trees vs. large female trecs. The solid line shows actual $L_{12}(t)$ values for extant trees, dotted lines and broken lines show $95 \%$ and $99 \%$ confidence envelopes for the pattern expected from an independent distribution of tree location, respectively. Values outside the envelopes indicate significant departure from independence.

## Neighbouring effects on growth rate

The growth rate of small males ( $5 \leq$ d.b.h. $<30 \mathrm{~cm}$ ) was significantly dependent on their size ( $P<0.001$, Table 3.2). Effects of neighbouring trecs on the growth rate of small males were not significant. The growth rate of small females showed a significantly negative partial correlation with local crowding of males ( $P<0.01$ ) and females ( $P<$ 0.05). Intrasexual and intersexual competition reduced the growth of females Local crowding of unsexed $P$. nagi trees and other species did not have any significant neighbouring effects on the growth of either males or females. For large males and females (d.b.h. $\geq 30 \mathrm{~cm}$ ), the growth rate did not show any significant partial correlation with tree size and local crowding of neighbouring trecs.

Table 3.2. Partial correlations of absolute growth rate (AGR, $\mathrm{cm} / 6$ years) of stem diameter with tree size in d.b.h. and local crowding of male, female and unsexed Podocarpus nagi trees and the other species trees in a $30 \mathrm{~m} \times 270 \mathrm{~m}$ subplot at Mt. Mikasa, Nara City, Japan. Local crowding was calculated as the sum of basal area at breast height of the neighbouring trees within 5 m from a target trec. $n$ is the number of trees, $r$ is the partial correlation cocfficient, $P$ is the probability of a Type I crror for the null hypothesis. Threc males and four females were excluded from test because growth rates were not determined due to breakdown of dendrometers

|  | $5 \leq$ d.b.h. $<30 \mathrm{~cm}$ in 1992 |  |  |  | D.b.h. $\geq 30 \mathrm{~cm}$ in 1992 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Males ( $n-195$ ) |  | Fernales ( $n=92$ ) |  | Males ( $n=83$ ) |  | Females ( $n=62$ ) |  |
|  | г | $P$ | $r$ | $P$ | $r$ | $r$ | , | $P$ |
| D.b.h. in 1992 | 0.400 | $<0.001$ | 0.078 | 0.469 | 0.043 | 0.706 | $-0.054$ | 0.688 |
| L.ocal crowding of male P. nagi | -0.092 | 0.206 | 0.317 | 0003 | 0.111 | 0.332 | 0.248 | 0.061 |
| Local crowding of female P. nagi | -0.094 | 0.196 | . 0.257 | 0.016 | 0.143 | 0.210 | 0.069 | 0.605 |
| I ocal crowding of unsexed $P$ nagi | 0.003 | 0.972 | 0.173 | 0.108 | 0053 | 0.645 | -073 | 0.589 |
| Local crowding of other species | -0.035 | 0.633 | 0065 | 0.547 | .0127 | 0266 | 0.019 | 0.890 |

## Discussion

## Male-biased sex ratio and gender-dependent growth rate

Sex ratio according to size class was useful for the analysis of the sex-related population structure, because the onset of reproduction depends on the plant size (Clark \& Clark 1987; Alliende \& Harper 1989; Vasiliauskas \& Aarssen 1992; Allen \& Antos 1993; Thomas \& LaFrankic 1993; Gibson \& Menges 1994; Nicotra 1998). Unsexed trecs of P. nagi decreased with increasing tree size, and the sex ratio in intermediate size classes ( 20 $\leq$ d.b.h. $<50 \mathrm{~cm}$ ) did not depart from 1:1. These results suggested that the primary sex ratio of $P$. nagi can be considered to be unity (Nicotra 1998). The male-bias in the smallest size class ( $5 \leq$ d.b.h. $<20 \mathrm{~cm}$ ) was explained by the precocity of males relative to females. Among unsexed trees, unsexed females were considered to be overrepresented. The growth rate of males became larger with increasing tree size (Table 3.2) and the median growth rate in the class of $5 \leq$ d.b.h. $<20 \mathrm{~cm}$ was smaller than that in d.b.h. $\geq 20 \mathrm{~cm}$ classes (Fig. 3.3), whereas in females the growth rate did not show size dependence. These results suggested that for the onset of reproduction, females require high resource availability as the large non-suppressed trees provided, while males could start to reproduce under low resource availability (Nicotra 1998). Differences in reproduction cost between sexes may determine the gender-dependent onsel timing of reproduction.

Biased sex ratio in large size classes could be explained by differences in growth rate or mortality between sexes (Lloyd \& Webb 1977; Allen \& Antos 1993). If mortality is equal and growth rate is different between males and females in each size class, the sex ratio is expected to be biased, because a higher growth rate resulted in the shorter residence time at a given size class and the higher recruitment in the largest size class (Nicotra 1998). The number of males observed for trees with high growth rates larger than 20 cm in d.b.h. was significantly large (Table 3.1). This implies the female bias in the intermediate class and the male bias in the large size class. The sex ratio did not depart from the ratio $1: 1$ in the intermediate size classes ( $20 \leq \mathrm{d} . \mathrm{b} . \mathrm{h} .<50 \mathrm{~cm}$ ), while the sex ratio was significantly male-biased in the large size class (d.b.h. $\geq 50 \mathrm{~cm}$ ). This unexpected sex ratio in the intermediate size classes might be explained by the high mortality of females. The high mortality of females also could cnhance the male bias in the large size class. The growth rate of individuals was often negatively correlated with mortality (Jenkins \& Pallardy 1995; Pedersen 1998). Too few trees died during the study
period to examine the patterns of gender-dependent mortality. Significant male has in the sex ratio of trees with high growth rates may indicate higher survival of male tuees than of female trees.

## Gender-dependent spatial pattern and neighbouring effects

The difference of competitive ability between sexes reported by previous studics (Cox 1981; Herrera 1988; Alliende \& Harper 1989) could explain the gender-dependent patterns of $P$. nagi. In Chapter 2, it was reported that the small seed dispersal range of $P$. nagi caused the clump formation of young trees around large females. Young trees started to reproduce and small males and females occurred together in clumps (Figs 3.5 and 3.6). Large males and females shifted toward random distributions (Fig. 3.5b,d). Decrease in clumping intensity have often been reported to accompany an increase in tree size (or age) (Lacssle 1965; Stemer et al. 1986; Kenkel 1988; Duncan 1991; Kenkel et al. 1997; Fulć \& Covington 1998). Such a shift was more conspicuous for femalcs than for males in $P$. nagi population, suggesting that repulsion occurred among females. Significantly negative intrasexual effect of neighbours on the growth of females (Table 3. 2) supported this suggestion. Intrasexual neighbouring effect on the growth of males was not significant (Table 3.2) and male clumps werc prescrved (Fig. 3.5a,b). The intrasexual negative effect of competition was delected among females but not among males. Intersexual effects of neighbours were significant on the growth of females but not on that of males (Table 3.2). Large males and females showed a significant repulsion at 3-4 m (Fig. 3.6b). This one-sided negative effect from males to females could cause the repulsion among males and females.

Both intrasexual and intersexual effects of neighbours were significant in females, though neither was significant in males. As a result, females would suffer from the presence of both males and females. Onyckwelu and Harper (1979) reported that the sex ratio of Spinacia oleracea did not deviate from 1:1 at a low plant density while it was male biased at a high plant density. If a large female of $P$. nagi occurs adjacent to large females, their seed rain overlap each other and the density of secdlings around the large female is expected to be larger than that around a large female adjacent to large males. In such a clump with a higher density of $P$. nagi, male dominancy may proceed.

## The effects of sex-related population structure of Podocarpus nagi on the community structure

A male-biased sex ratio and non-random spatial patterns of males and females were observed in the $P$. nagi population. Since diocey defines the crucial intersexual differences in seed dispersal ability, the seed-rain area in a forest is dependant on seed dispersal ability, abundance and locations of females. Sced dispersal of P. nagi was limited to the area around females due to low dispersal ability (Chapter 2). On the other hand. seed density became low in the area under males, where the area could be called a 'secd-rain gap'. In an area occupied by $P$. nagi, males will incvitably create secd-rain gaps. In Chapter 2, a threc-phase dynamics model was proposed to explain the regeneration mechanisms of males and females of $P$. nagi and other species. The model suggested that the area under male $P$. nagi with a low density of young $P$. nagi might be the regeneration niche (Grubb 1977) for other species, especially for $N$. aciculata that has a large dispersal ability. In the model, the sex ratio of $P$. nagi was assumed to be 1:1. However, the observed sex ratio of large $P$. nagi was male-biased. A male-biased sex ratio implics less abundance of seed sources and more abundance secd-rain gap areas than in the case assuming that sex ratio is 1:1. A male-biased sex ratio of $P$. nagi may be favourable for regeneration success of other species.

Local combinations of males and females may also affect the sced-rain area. Females occurring close to males, compensate for the seed-rain gaps under males. However, if clumps of males not accompanied with females occur, the formation of secd-rain gaps becomes more accurate and they aggregate to be a large seed-rain gap. This tendency was supported by clumps of large males and repulsion between males and females (Figs 3.5 and 3.6). The revegetation of disturbance-created gaps is influenced by the size of the gap (Sousa 1984; Runkle 1985) and for species with a small dispersal ability, arrival to the gap centre and colonization of a gap are difficult if gap size is relatively larger than their dispersal ability (Sousa 1984; Schupp et al. 1989; Forget 1991; Kotanen 1997; Dalling et al. 1998). In the centre of male clumps, P. nagi may be difficult to colonize. A clumped distribution of male trees of P. nagi may be favourable for regeneration success of other species with large seed dispersal ability such as $N$. aciculata.

## Chapter 4

## Patch formation and coexistence of two tree species, Podocarpus nagi and Neolitsea aciculata

## Introduction

In plant communities, competition occurs among neighbouring plants. Growih and mortality of individual plants are influenced by separation. local density, size and species composition of neighbours (Harper 1977; Mack \& Harper 1977; Antonovics \& Levin 1980; Weiner 1984). The competition among plants affects the specics composition and population structure of each specics in a plant community (Greig-Smith 1979; Fowler 1986). In monospecific stands, more regular spatial patterns bave often been reported with an increase in plant size (or age) and such a shift has been explained to be induced by intraspecific competition (Laessle 1965; West 1984; Kenkel 1988; Kenkel et al. 1997). Similar shifts in spatial patterns have also been reported in multi-species stands (Christensen 1977; Phillips \& MacMahon 1981; Sterner et al. 1986; Duncan 1991; Fulé \& Covington 1998).

In multi-species stands, both intra- and interspecific compctitions should be considered (Duncan 1991; Nakashizuka \& Kohyama 1995 ; Hara et al. 1995; Kubota \& Hara 1995, 1996; Peterson \& Squicrs 1995a,b). By interspecific competition, the habitat of species with inferior competitive ability was restricted to the sites where density of superior competitor was low (Gurevitch 1986; Haase et al. 1997; Bockclmann \& Ncuhaus 1999). Hart et al. (1989) reported that the superior compctitive ability of specics with large secds and high shade tolcrance resulted in the formation of monodominant stands within a species-rich tropical forest. Frelich et al. (1993) and Frelich et al. (1998) reported a mixed-species forest consisting of mono-specific patches and that interspecific competition was responsible for the patch formation.

The spatial structure of plants, on the other hand, affects competition (Duncan 1991; Hara et al. 1995; Kubota \& Hara 1995, 1996). In multi-species stands, the spatial pattern of each species should be considered for studies on the competition, because the spatial pattern determine how often competing species encounter each other and therefore the intensity of intra- and interspecific competitions (Silvertown \& Lovett Doust 1993).

The relative intensity of intra- and interspecific competitions could spatially fluctuate partocularly in plant communitics where partitioning of establishment sites occurred and population structures were clumped. The partitioning of establishment sites may permit the coexistence of tree species due to avoidance of interspecific competition (Duncan 1991; Kubota \& Hara 1995) and may create spatial refuge of inferior competitors from superior compelitors (Silvertown \& Lovett Doust 1993). Compctition and spatial pattern are interdependent, i.c., spatial patterns are formed by competition, and the intensity of competitive effects is affected by spatial patterns. However, the interactions between competition among plants and spatial patterns of plants have not been studied yet (hut see Kubota \& Hara 1995, 1996).

The present study describes the formation of spatial structure and competitive interactions among trees in a forest community dominated by two dioecious tree species, Podocarpus nagi (Thunb.) Zoll. el Moritz. (Podocarpaccac) and Neolitsea aciculata (Blume) Koidz. (Lauraceae) at MI. Mikasa, Nara City, Japan. Podocarpus nagi has a higher shade tolerance but a narrower seed dispersal range than $N$. aciculata. In Chapter 2, it was reported that the narrow seed dispersal range and dioccy induced the spatial heterogencity of plant density in the $P$. nagi population and suggested that the regeneration of $N$. aciculata was facilitated in the area where the density of $P$. nagi trees was low. However, their suggestion was based on the location of trecs at one time and should be tested by gathering further information on forest dynamics, i.c., measurements of growth, survival and mortality of trees.

To infer the processes of pattern formation of the two species, we analysed the spatial structures of both species in various size classes, because the spatial pattern for each size (or age) class suggests the past process of regeneration (Sterner et al. 1989; Lusk \& Ogden 1992). We analysed the changes in spatial patterns by tree mortality 10 detect any evidence of pattern formation, and the neighbouring effects on growth rate at various size classes to evaluate the relative imporlance of intra- and interspecific competition on pattern formation. Here, we discuss the coexistence mechanisms of $P$. nagi and $N$. aciculata.

## Methods

## Field methods

In 1988, a 1.48 ha plot ( $40 \mathrm{~m} \times 370 \mathrm{~m}$ ) was established on a northwest-facing slope (ca. $20^{\circ}$ mean inclination) of Mt. Mikasa. The plot was divided into $5 \mathrm{~m} \times 5 \mathrm{~m}$ quadrats. Within each quadrat, the $x$ and $y$ coordinates of all the trees larger than 5 cm in stem diameter at breast height (d.b.h., 130 cm above ground level) were mapped, and their species and d.b.h. were recorded. The total numbers of P. nagi, N. aciculata and other species within the plot were 1217, 1546 and 264 in 1992, respectively.

In March 1992, an aluminum band type dendrometer (Hall 1944; Liming 1957) was installed on each tree at breast height ( 130 cm above ground level). This instrument consists of a band of aluminum for encircling the tree trunk in place by a coil spring. When the plot was resampled annually, tree status (living or dead) was recorded and diameter growth of the trunk was measured by the slide length of the aluminum band from 1992 to 1998.

## Data analysis

The purpose of this paper is to elucidate the cocxistence mechanism of $P$. nagi (superior competitor) and $N$. aciculata (inferior compctitor). Therefore, we analysed the data in the lower $40 \mathrm{~m} \times 280 \mathrm{~m}$ part of the plot, because in the upper $40 \mathrm{~m} \times 90 \mathrm{~m}$ part of the plot $P$. nagi had scarcely invaded yet and the density of $P$. nagi was lower than that in the whole plot ( 81 ha 'vs. 822 ha $^{-1}$ ).

## Spatial pattems

Spatial patterns of trees within a population were analysed using Ripley's $K(t)$ function (Ripley 1977). The function $\lambda K(t)(\lambda=$ intensity) is defined as the expected number of trees within distance $t$ of an arbitrary trec. The unbiased estimate of $K(t)$ is defined as:
$K(t)=n^{-2}|\mathrm{~A}| \sum_{i \neq j} \sum_{i j} w_{t}^{-1} I_{t}\left(u_{i j}\right)$,
where $n$ is the number of trees in a plot $\mathrm{A} ;|\mathrm{A}|$ denotes plot area; $u_{i j}$ is the distance helween $i$ th trec and $j$ th tree in $\mathrm{A} ; I_{t}(u)$ is equal to 1 if $u \leq t$ and 0 otherwise; $w_{y}$ is the
proportion of the circumference of a circle with centre at $i$ th tree and radius $u_{i j}$ that lies within $A$, and summation is for all pars of trees not more than $t$ apart (Ripley 1977: Diggle 1983; Upton \& Fingleton 1985; Dalc 1999). A square-root transformation of $k(t)$ suggested by Besag (1977) is casier to use: $L(t)=[K(t) / \pi]^{1 / 2}-\tau$. A value of $L(t)=0$ indicates that the spatial pattern at distance $t$ is random. Values of $L(t)>0$ indicate clumped distributions, whilst valucs of $L(t)<0$ indicate regular distributions. Since spatial patterns in each size class suggests the past process of regeneration (Stemer et al. 1989; Lusk \& Ogden 1992), the life stage of each species was disunguished on the basis of tree size. The population of $P$. nagi was divided into four stages, i.c., $5 \leq$ d.b.h. $<10$ $\mathrm{cm}, 10 \leq$ d.b.h. $<15 \mathrm{~cm}, 15 \leq$ d.b.h. $<30 \mathrm{~cm}$ and d.b.h. $\geq 30 \mathrm{~cm}$. The population of N. aciculata was divided into threc stages, i.c., $5 \leq$ d.b.h. $<10 \mathrm{~cm}, 10 \leq$ d.b.h. $<15 \mathrm{~cm}$ and d.b.h. $\geq 15 \mathrm{~cm}$. Wider size intervals were used for $N$. aciculata than for $P$. nagi because $P$. nagi had a larger maximum d.b.h. than $N$. aciculata (see results).

Spatial interactions between $P$. nagi and $N$. aciculata trees were analysed using the bivariate function $L_{12}(t)$, a transformation of function $K_{12}(f)$ (Lotwick \& Silverman 1982): $L_{12}(t)=\left[K_{12}(t) / \pi\right]^{1 / 2}-t$. The function $K_{12}(t)$ is a generalization of the function $K(t)$ to a bivariate point process. A value of $L_{12}(t)=0$ indicates that the iwo species are spatrally independent, values of $L_{12}(t)>0$ indicate a positive association (attraction) and values of $L_{12}(t)<0$ indicate a negative association (repulsion). In Chapter 2, it was reported that the regencration of $N$. aciculata appeared to be facilitated where the density of $P$. nagi was low. To infer a competitive effect by $P$. nagi on the regeneration of $N$. aciculata, we analysed the competitive interaction of $N$. aciculata in three size classes with P. nagi. Assuming a one-sided competition, i.e., large trees suppress small trees but not vice versa (Weiner \& Thomas 1986; Thomas \& Weiner 1989; Kohyama 1991, 1992, 1993), P. nagi trees with smaller size than a given size class of $N$. aciculata were omitted. Thus, spatial interactions were analysed for $N$. aciculata in the $5 \leq$ d.b.h. $<10$ cm class vs. $P$. nagi with d.b.h. $\geq 5 \mathrm{~cm}, N$. aciculata in the $10 \leq$ d.b.h. $<15 \mathrm{~cm}$ class vs. P. nagi with d.b.h. $\geq 10 \mathrm{~cm}$ and $N$. aciculata with d.b.h. $\geq 15 \mathrm{~cm}$ vs. $P$. nagi with d.b.h. $\geq 15 \mathrm{~cm}$.

The significance of both $L(t)$ and $L_{i 2}(t)$ functions was determined with Monte Carlo simulations (Besag 1977; Besag \& Diggle 1977; Marriott 1979). For analysis of the univariate spatial pattern of trees, the null hypothesis is complete spatial randomness. For bivariate spatial interactions between two species, the null hypothesis is spatial independence. Ninety-nine per cent confidence envelopes were defined as the highest
and lowest values of $L(t)$ or $L_{12}(t)$ for cach spatial scale found in 99 analyses of random point distributions. In this study, the 'intensity' of spatial patterns on spatial interactions is defined as the magnitude of the deviation from randomness (Rebertus et al. 1989). Sce carlicr uses of $L(t), L_{12}(t)$ and Montc Carlo simulations (c.g. West 1984, Kenkel 1988; Rebertus et al. 1989; Duncan 1991; Peterson \& Squiers 1995b; Haasc 1995).

## Changes in spatial patterns

To test the change in the spatial pattern through time, we made simulations of random mortality from the initial P. nagi and N. aciculata populations in 1992. The locations of live trees in 1992 represent the pre-mortality spatial pattern. Random mortality was simulated by random selection and removal of trees from the pre-mortality data set. The number of removed trees corresponded to the number of dead trees from 1992 to 1998 and their removal represented one simulation of the random mortality process. The same method for analysing changes in spatial patterns was used in the previous studies (e.g. Kenkel 1988; Rebertus et al. 1989; Duncan 1991; Peterson \& Squicrs 1995b). Ninetyfive per eent confidence envelopes were generated from high and low values of the function $L(t)$ calculated from 19 simulations of the random mortality process. Ninetynine per cent confidence envelopes require 99 simulations. Values of the empirical function that lie outside these envelopes indicate patterns of non-random mortality. The mortality rate must be enough high to detect a spatial pattern change. Therefore, spatial pattern change was analysed for the $5 \leq$ d.b.h. $<7.5 \mathrm{~cm}$ class with the highest mortality ratc (sec results) in both $P$. nagi and $N$. aciculata.

## Competitive effects on the growth of trees

To investigate the intra- and interspecific effects of local competition on the growth of trecs, we calculated partial correlation coefficients between absolute growth rate of stem diameter for 6 years and local crowding of neighbouring trees. Tree size was also taken into account for partial correlation analyses, because size dependence of growth rate was often obscrved (Duncan 1991; Nakashizuka \& Kohyama 1995; Hara et al. 1995; Kubota \& Hara 1995). The partial correlation cocfficient measures the corrclation between any pair of variables when other variables are held constant (Sokal \& Rohlf 1995). For calculating indices of local crowding around each target trec, the sum of the basal area at breast height of "neighbours" was used. This index has been used in the previous studies
(c.g. Weiner 1984; Nakashzuka \& Kohyama 1995, Kubota \& Hara 1995). In our study, trees within 5 m from target trees were used as "ncighbours" (Duncan 1991; Stoll et al 1994. Indices of local crowding were calculated for three tree categories, 1.c., P. nagi, $N$ aciculata and other species. Assuming that competition was one-sided. ncighbours smaller than a target tree were omitted for evaluation of local crowding. Trees within a 30 $\mathrm{m} \times 270 \mathrm{~m}$ part inside of the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot were used as target trees, hecause trees close to the plot edges had neighbours outside the plot that were not measured.

## Results

## Species composition

For plants that were larger than 5 cm d.b.h. in 1992, the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot contained a total of 27 woody species. Podocarpus nagi and N. aciculata accounted for $48 \%$ and $47 \%$ respectively of the 2487 plants observed (Table 4.1). The vegetation was occupied mosily by P. nagi and N. aciculata, thus the two species were codominant at Mi. Mikasa. The remaining 25 specics accounted for only $5 \%$.

Table 4.1. Number of plants of woody species larger than 5 cm in d.b.h. in 1992 in the $40 \mathrm{~m} \times 280$ m plot at M1. Mikasa, Nara City, Japan

| Species | 1188 |
| :--- | ---: |
| Podocarpus nagi | 1177 |
| Neolitsea aciculata |  |
| Other woody species | 30 |
| Evergreen broad-leaved (7 spp.) | 27 |
| Deciduous broad-leaved (9 spp.) | 5 |
| Evergreen conifers ( 3 spp .) | 60 |
| Climbers ( 6 spp. ) | 2487 |
| Total |  |

## Population structure of Podocarpus nagi and Neolitsea aciculata

Both P. nagi and N. aciculata showed a unimodal and inverse J-shaped d.b.h. distribution (Fig. 4.1), suggesting that recruitments of both species occurred continuously. Maximum d.b.h. of $P$. nagi and N. aciculata in 1992 were 88 cm and 37 cm , respectively.



Fig. 4.1. Frequency distributions of d.b.h. (stem diameter at 130 cm height) in 1992 for (a) Podorarpus nagi $(n=1188)$ and (b) Neolitsea aciculata ( $n=1177$ ) in the $40 \mathrm{~m} \times 280$ m plot at Mt. Mikasa, Nara City, Japan.

Analysis of the spatial pattern of $P$. nagi trees (Fig. 4.2a) showed that trees in the $5 \leq$ d.b.h. $<10 \mathrm{~cm}$ class were significantly ( $P<0.01$ ) clumped at all distances between 1 and 15 m (Fig. 4.3a). Podocarpus nagi trecs in the $10 \leq$ d.b.h. $<15 \mathrm{~cm}$ class were significantly clumped at $3-15 \mathrm{~m}$ (Fig. 4.3b). Podocarpus nagi trees in the $15 \leq$ d.b.h. $<$ 30 cm class and with d.b.h. $\geq 30 \mathrm{~cm}$ showed a random distribution at $1-4 \mathrm{~m}$ and $1-7 \mathrm{~m}$, respectively (Fig. 4.3c,d). The clumping intensity of $P$. nagi trees decreased progressively with increasing tree size.


Fig. 4.2. The spatial distribution of the Podocarpus nagi population and the Neolitsea aciculata population in 1998 in the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan: (a) Podocarpius nagi trees. Small solid circles, large solid circles, small open circles and large open circles represent trees in the $5 \leq$ d.b.h. $<10 \mathrm{~cm}(n=621), 10 \leq$ d.b.h. $<15$ $\mathrm{cm}(n=142), 15 \leq$ d.b.h. $<30 \mathrm{~cm}(n=184)$ and d.b.h. $\geq 30 \mathrm{~cm}(n=220)$ classes, respectively. (b) Neolitsea aciculata trees. Small solid circles, large solid circles and open circles represent tres in the $5 \leq$ d.b.h. $<10 \mathrm{~cm}(n=710)$, $10 \leq$ d.b.h. $<15 \mathrm{~cm}$ ( $n=$ $263)$ and d.b.h. $\geq 15 \mathrm{~cm}(n=135)$ classes, respectively.


Fig. 4.3. $L(t)$ valucs for the Podocarpus nagi population in 1998 in the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan: (a) $5 \leq$ d.b.h. $<10 \mathrm{~cm}$, (b) $10 \leq$ d.h.h. $<15 \mathrm{~cm}$, (c) $15 \leq$ d.b.h. $<30 \mathrm{~cm}$, (d) d.b.h. $\geq 30 \mathrm{~cm}$. The solid line shows actual $L(t)$ values for extant plants, dotted lines show $99 \%$ confidence envelopes for the pattern expected from a random distribution of tree locations. Values outside the envelopes indicate significant departure from randomness.


Fig. 4.4. $L(t)$ values of Neolitsea aciculata population in 1998 in the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan: (a) $5 \leq$ d.b.h. $<10 \mathrm{~cm}$, (b) $10 \leq$ d.b.h. $<15 \mathrm{~cm}$, (c) d.b.h. $\geq 30 \mathrm{~cm}$. The solid line shows actual $L(t)$ values for extant plants, dotted lines show $99 \%$ confidence envelopes for the pattern expected from a random distribution of tree locations. Values outside the envelopes indicate significant departure from randomness.

Analysis of the spatial pattern of $N$. aciculata trees (Fig. 4.2b) showed that trees were significantly ( $P<0.01$ ) clumped at $2-15 \mathrm{~m}$ in all three size classes (Fig. 4.4a,b,c). For $N$. aciculata trees, the clumping intensity increased progressively with increasing trec size.

Neolitsea aciculata trees in the $5 \leq \mathrm{d} . \mathrm{b} . \mathrm{h} .<10 \mathrm{~cm}$ class showed a significant ( $P<$ 0.01 ) repulsion from $P$. nagi trees with d.b.h. $\geq 5 \mathrm{~cm}$ at $3-15 \mathrm{~m}$ (Fig. 4.5a). Neolitsea aciculata trees in the $10 \leq$ d.b.h. $<15 \mathrm{~cm}$ class showed a significant ( $P<0.01$ ) repulsion from $P$. nagi trecs with d.b.h. $\geq 10 \mathrm{~cm}$ at 2-15 m (Fig. 4.5b). Neolitsea aciculata trecs with d.b.h. $\geq 15 \mathrm{~cm}$ showed a significant ( $P<0.01$ ) repulsion from $P$. nagi trees with d.b.h. $\geq 15 \mathrm{~cm}$ at $2-15 \mathrm{~m}$ (Fig. 4.5 c ). The degrec of repulsion of $N$. aciculata from $P$. nagi increased progressively with increasing tree size.


Fig. 4.5. $L_{12}(t)$ values of bivariate distribution of Neolitsea acirulata population and Podocarpus nagi population in 1998 in the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan: (a) N. aciculata trecs with $5 \leq$ d.b.h. $<10 \mathrm{~cm}$ vs. P. nagi trees with d.b.h. $\geq 5$ cm , (b) N. aciculata trees with $10 \leq$ d.b.h. $<15 \mathrm{~cm}$ vs. P. nagi trecs with d.b.h. $\geq 10$ cm , (c) N. aciculata trees with d.b.h. $\geq 15 \mathrm{~cm}$ vs. $P$. nagi trees with d.b.h. $\geq 15 \mathrm{~cm}$. The solid line shows actual $L_{12}(t)$ values for extant plants, dotted lines show $99 \%$ confidence envelopes for the pattern expected from an independent distribution of tree locations, respectively.

## Changes in spatial patterns due to mortality

The mortality of trees varied among species and size classes (Fig. 4.6). The mortality rate of $N$. aciculata was significantly higher than that of $P$. nagi in the $5 \leq$ d.b.h. $<7.5$ $\mathrm{cm}(P<0.0001)$ and $7.5 \leq$ d.b.h. $<10 \mathrm{~cm}$ classes $(P<0.05)$ (Fisher's cxact probability test). Mortality rates of both species were highest in the smallest size class, $5 \leq$ d.b.h. $<$ 7.5 cm class, and decreased with increasing size class but increased slightly in the d.b.h. $\geq 15 \mathrm{~cm}$ class.


Fig. 4.6. Relationshıp between d.b.h. (stem diameter at breast height, 130 cm ) in 1992 and mortality rate from 1992 to 1998 in the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan. Solid and open circles represent the rates in each d.b.h. class of Podocarpus nagi and Neolitsea aciculata, respectively.

The change in spatial patterns due to mortality was analysed for each species in the $5 \leq$ d.b.h. $<7.5 \mathrm{~cm}$ class (Table 4.2). For $N$. aciculata, the initial number of trees in the $5 \leq$ d.b.h. $<7.5 \mathrm{~cm}$ class in 1992 was 561 . Fifly N. aciculata trecs had died by 1998. The number of living trees was 511 in 1998. The living trees in 1998 were significantly more clumped at $6 \mathrm{~m}(P<0.01), 7-8 \mathrm{~m}(P<0.05), 9 \mathrm{~m}(P<0.01), 10-11$ $\mathrm{m}(P<0.05)$ and $12 \mathrm{~m}(P<0.01)$ than the expected distribution where mortality of trees was simulated to be randomly chosen from the initial spatial distribution. For $P$. nagi trees, the mortality rate for 6 years was low $(12 / 456=0.026)$ and no significant change in spatial pattern was detected (Table 4.2).

Table 4.2. Changes in $L(t)$ values of trees with $5 \leq$ d.b.h. $<7.5 \mathrm{~cm}$ of Podocarpus nagi and Neolitsea aciculata in the $40 \mathrm{~m} \times 280 \mathrm{~m}$ subplot at Mt. Mikasa, Nara City, Japan. *P $<0.05, * * P<0.01$

| Distance (m) | $L(t)$ for Podncarpus nagi |  |  | $L(t)$ for Neolitsen aciculata |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Live in 1992 $(n=456)$ | Live in 1998 ( $n=444$ ) | Change of $L(t)$ | Live in 1992 $(n=561)$ | Live in 1998 $(n=511)$ | Change of $L(t)$ |
| 1 | 0.396 | 0.382 | -0.014 | -0.001 | 0.046 | +0.047 |
| 2 | 0.778 | 0.769 | -0.009 | 0.217 | 0.275 | +0.058 |
| 3 | 0.967 | 0.965 | 0002 | 0.391 | 0.426 | $+0.035$ |
| 4 | 1.173 | 1.179 | 0.006 | 0.497 | 0.567 | $+0.070$ |
| 5 | 1.344 | 1.352 | 0.008 | 0.587 | 0.670 | $1-0.083$ |
| 6 | 1.449 | 1.455 | 0.006 | 0.617 | 0.729 | +0.112 ** |
| 7 | 1.459 | 1.459 | 0.000 | 0.724 | 0860 | +0.136 * |
| 8 | 1.428 | 1.430 | 0.002 | 0.754 | 0.877 | +0.123 ** |
| 9 | 1.380 | 1.373 | 0.007 | 0.782 | 0.934 | +0.152 ** |
| 10 | 1.358 | 1.359 | 0.001 | 0.762 | 0.875 | +0.113 * |
| 11 | 1.303 | 1.302 | -0.001 | 0.743 | 0.870 | 10.127 * |
| 12 | 1.259 | 1.275 | 0.016 | 0.752 | 0.885 | +0.133 ** |
| 13 | 1.231 | 1.250 | 0.019 | 0.701 | 0.820 | $+0.119$ |
| 14 | 1.240 | 1.269 | 0.029 | 0.741 | 0.865 | +0.124 |
| 15 | 1.287 | 1.322 | 0.035 | 0.676 | 0.817 | +0.141 |

Neighbouring effects of crowding on growth rate

The absolute growth rate of stem diameter for 6 years varied among species and size classes (Fig. 4.7). The growth rate of $P$. nagi and $N$. aciculata showed size dependency. The growth rate tended to be larger with increasing tree size. In all size classes, the growth rate of $N$. aciculata was significantly ( $P<0.05$ ) larger than that of $P$. nagi (Mann-Whitncy test)


Fig. 4.7. Relationship between d.b.h. (stem diameter at breast height, 130 cm ) in 1992 and absolute growth rate of stem diamcter from 1992 to 1998 in the $40 \mathrm{~m} \times 280 \mathrm{~m}$ plot at Mt. Mikasa, Nara City, Japan. Solid and open eircles represent the rates in each d.b.h. class of Podocarpus nagi and Neolitsea aciculata, respectively. Bars indicate standard errors.

The growth rate of $P$. nagi trecs, in the $5 \leq$ d.b.h. $<10 \mathrm{~cm}$ class, was significantly dependent on their size ( $P<0.001$, Table 4.3 ) and was negatively correlated with the local crowding of $N$. aciculata ( $P<0.001$ ). In the $10 \leq$ d.b.h. $<15 \mathrm{~cm}$ class, there was no significant partial correlation with tree size and local crowding of neighbouring trecs. In the $15 \leq$ d.b.h. $<30 \mathrm{~cm}$ class, the growth rate was negatively correlated with local crowding of $P$. nagi ( $P<0.01$ ). In the d.b.h. $\geq 30 \mathrm{~cm}$ class, there was no significant partial correlation with tree size and local crowding of neighbouring trees.

The growth rate of $N$. aciculata trees, in the $5 \leq$ d.b.h. $<10 \mathrm{~cm}$ class, was significantly dependent on their size ( $P<0.001$, Table 4.3 ) and was negatively corrclated with local crowding of $P$. nagi $(P<0.05)$ and of $N$. aciculata ( $P<0.01$ ). In the $10 \leq$ d.b.h. $<15 \mathrm{~cm}$ class, the growth rate was positively correlated with the tree size
( $P<0.05$ ) and negatively correlated with local crowding of $P$. nagi $(P<0.01)$ and of $N$. aciculata $(P<0.01)$. In the d.b.h. $\geq 15 \mathrm{~cm}$ class, the growth rate was negatively correlated with the local crowding of $N$. aciculata $(P<0.01)$ and positively corrclated with the local crowding of the other species $(P<0.05)$.

Table 4.3. Partial correlations of absolute growth rate ( $\mathrm{cm} / 6$ years) of stem diameter with trec size in d.b.h. and local crowdings of Podocarpus nagi, Neolitsea aciculata and the other species trecs in the $30 \mathrm{~m} \times 270 \mathrm{~m}$ subplot at Mt. Mikasa, Nara City, Japan. Local crowding was calculated as the sum of basal area of the neighbouring trees within 5 m from a target tree. Assuming a one-sided competition, basal area was summed by trees with larger d.b.h. than a target tree. $n$ is the number of trees. Bar indicates that all $N$.
 n.s. $P \geq 0.05$

|  | $n$ | Partial correlation cocfficient |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\begin{aligned} & \text { D.b.h. in } \\ & 1992 \end{aligned}$ | Local crowding of P. nagi | Local crowding of N. aciculata | Local crowding of other species |
| Podocarpus nagi |  |  |  |  |  |
| $5 \leq$ d.b.h. $<10 \mathrm{~cm}$ | 473 | $0.183^{* * *}$ | n.s. | -0.174 *** | n.s. |
| $10 \leq$ d.b.h. $<15 \mathrm{~cm}$ | 92 | п.s. | n.s. | n.s. | n.s. |
| $15 \leq$ d.b.h. $<30 \mathrm{~cm}$ | 133 | n.s. | -0.274 ** | n.s. | n.s. |
| d.b.h. $\geq 30 \mathrm{~cm}$ | 145 | n.s. | n.s. |  | n.s. |
| Neolitsea aciculata |  |  |  |  |  |
| $5 \leq$ d.b.h. $<10 \mathrm{~cm}$ | 528 | $0.387^{\text {*** }}$ | -0.104 * | $-0.180^{* * *}$ | n.s. |
| $10 \leq$ d.b.h. $<15 \mathrm{~cm}$ | 200 | 0.177 * | -0.217 ** | -0.198 ** | n.s. |
| d.b.h. $\geq 15 \mathrm{~cm}$ | 66 | n.s. | n.s. | -0.333 ** | 0.282 * |

## Discussion

## Patch formation of Podocarpus nagi and Neolitsea aciculata

The clumped distribution of $P$. nagi and $N$. aciculata trees and their spatial repulsion indicated that the observed forest consisted of patches dominated by either P. nagi or $N$. aciculata. The clumped distribution of plants could be caused by the dispersal ability and post-dispersal mortality of propagules. The narrow dispersal range of propagules created clumps of young plants (Sterner et al. 1986; Hatton 1989). If favourable sites for the survival and growth of dispersed propagules were spatially limited, the spatial
distribution of old or large plants was clumped (Williamson 1975. Rehertus et al, 1989).
Podocarpus nagi trees were less clumped with increasing tree size (I.ig. 4.3). Such a shift was interpreted as a result of density-dependant mortality by intraspecific competition (Lacssle 1965; Sterner et al. 1986; Kenkel 1988; Duncan 1991; Kenkel et al. 1997; Fulé \& Covington 1998), although no significant change in spatial pattern of $P$. nagı population was detected for 6 years likely due to low mortahly. In Chapter 2. it was reported that clumps of young $P$. nagi plants were caused by the narrow seed dispersal range and reproductive system (diocey). A patch structure of $P$. nagi population was created by seed dispersal ability rather than hy post-dispersal mortality.

Neolitsea aciculata trecs were more clumped with increasing tree size (Fig. 4.4) and a significant increase in clumping intensity was observed for 6 years (Table 4.2). Briggs \& Gibson (1992) observed that for three species, the distribution became more clumped with increasing tree height, and they suggested that differential mortality of juveniles may promote clumping. However, few studics have actually detected an increase in clumping intensity. Rebertus et al. (1989) observed an increase in clumping intensity of Quercus laevis due to mortality by firc. Peterson \& Squicrs (1995b) reported that the spatial distribution of aspen trees shifted to a more clumped distribution after 10 years and they attributed the shift to a clonal nature of aspen and compettion. In our study, the observed increase in clumping intensity of $N$. aciculata might be caused by interspecific compctition.

The increase in clumping intensity suggested that the patch structure of $N$. aciculata was created by the post-dispersal mortality rather than by the sced dispersal ability. Mortality and growth of $N$. aciculata might be affected by the local crowding of neighbouring $P$. nagi trees. An increase in the degrec of repulsion of $N$. aciculata from $P$. nagi with increasing tree size (Fig. 4.5) suggested that the survival and growth of $N$. aciculata were facilitated where $P$. nagi trecs were uncommon and interspecific competition was therefore less intense. In Chapter 2, it was reported that the spatial distribution of seedlings of $N$. aciculata did not depend on the location of seed sources (female trees) due to the wide seed dispersal range and did not depend on the spatial distribution of $P$. nagi trees. However, in this study, N. aciculata trees in the smallest size class ( $5 \leq$ d.b.h. $<10 \mathrm{~cm}$ ) were clumped and showed a repulsion from P. nagi trecs. The exclusion of $N$. aciculata saplings due to the high density of neighbouring $P$. nagi might have proceeded by the time $N$. aciculata saplings grew larger than d.b.h. $\geq 5 \mathrm{~cm}$.

Relative importance of intra- and interspecific competition

We assumed a one-sided competition for the analysis of the compettive effeets of ncighbours on the growth rate. The growth rate of both species trees significantly depended on their size (Table 4.3). The dependence of growth rate on tree size was more conspicuous in N. aciculata than in P. nagi (Fig. 4.7 and Table 4.3). The size dependence of growth rate suggested that large trees suppressed small trees but not vice versa, and compctition was one-sided (Ford \& Diggle 1981; Duncan 1991). The hypothesis of one-sided competition was also supported by the higher mortality rates of small trees than large trecs (Fig. 4.6).

Kubota \& Hara $(1995,1996)$ presented a process of habitat segregation hased on competition between the saplings of two conifers, Picea jeznensis and Abies sachalinensis. They reported that an intense interspecific competition in the early stage of life-history brought about habitat segregaton between the two species and interspecific competition became weaker in the adult stage. In our study, the relative importance of intraspecific competition to interspecific competition increased with the life-history stage from small trees to large trecs (Table 4.3). Interspecific compctition was significantly effective on the growth rate in small size classes, $P$. nagi trees in the $5 \leq \mathrm{d} . \mathrm{b} . \mathrm{h} .<10 \mathrm{~cm}$ class and $N$. aciculata trees in the $5 \leq$ d.b.h. $<10 \mathrm{~cm}$ and $10 \leq$ d.b.h. $<15 \mathrm{~cm}$ classes. However, only intraspecific competition had a significant effect on the growth rate in large size classes, $P$. nagi trees in the $15 \leq$ d.b.h. $<30 \mathrm{~cm}$ class and $N$. aciculata trees with d.b.h. $\geq 15 \mathrm{~cm}$. The shift between inter- and intraspecific competitions corresponded to the change in spatial interaction between the two species. The more repulsive distribution with proceeding life-history stage indicated that, for both $P$. nagi and $N$. aciculata, the relative dominance of other species in neighbouring trecs became lower with increasing tree size. Thus, the interspecific compctition became weaker depending on the shift of spatial interactions between the two species, suggesting that the intra- and interspecific competitions and spatial patterns are interdependent.

## Coexistence mechanism of Podocarpus nagi and Neolitsea aciculata

Podocarpus nagi and Neolitsea aciculata were codominant at Mt. Mikasa (Chapter 2; this chapter), although Koshimizu et al . (1971) and Suganuma \& Kawai (1978) predicted that $P$ nagi would replace all the native trec species by its superior shade tolerance. In Chapter 2, spatial patterns of the two species at one time were analysed and it was
suggested that regeneration of $N$. aciculata was facilitated in the area where the density of P. nagi was low. A spatial refuge (Silvertown \& Lovelt Doust 1993) of N. aciculata (inferior competitor) from $P$. nagi (superior competitor) may cnable enexistence of the two species.

As the distribution of species shifts toward a more clumped distribution, interspecific competition becomes less intense and intraspecific competition beenmes more intense and a spatial refuge from eompetitors can be provided, because only the andividuals on the edge of a monospecific clump compete with other species (Silvertown \& Lovett Doust 1993). If the process procecds to the point where intraspecific competition is stronger than interspecific competition for all competitors, the conditions for coexistence could be met (Shmida \& Ellner 1984). Neolitsea aciculata trees became a more clumped and more repulsive from $P$. nagi trees with increasing tree size, and the mortality pattern toward a more clumped distribution was observed in N. aciculata. As the tree size of $P$. nagi and $N$. aciculata increased, the relative importance of interspecifice competition became lower and that of intraspecific competition became higher. The effect of interspecific competition was not observed for $N$. aciculata with d.b.h. $\geq 15 \mathrm{~cm}$. This indicated that the degree of repulsion between $N$. aciculata with d.b.h. $\geq 15 \mathrm{~cm}$ and $P$. nagi was sufficiently high for avoidance of interspecific competition. Duncan (1991) suggested that two dominant specics in a mixed podocarp stand, Dacrycarpus dacrydioides and Dacrydium cupressinum, avoided interspecific compctition by partitioning of the establishment site and concluded that the partitioning of sites may permit the coexistence of the two species. Our results of spatial and competitive interactions between the two specics supported the cocxistence mechanism proposed in Chapter 2 that the regeneration niche (Grubb 1977) for N. aciculata might be created by a combination of the clumped population structure of $P$. nagi and the wide seed dispersal range of $N$. aciculata.

## Chapter 5

## General Discussion - A model for coexistence of Podocarpus nagi and Neolitsea aciculata

Podocarpus nagi invaded Mt. Mikasa and replaced the native species. The spectes composition in the plot was completely different from that in the native forest adjacent to MI. Mikasa (Nakanc 1975; Suganuma \& Kawai 1978; Naka 1982). Koshimizu et al. (1971) and Suganuma \& Kawai (1978) considered that P. nagi climinated all other species and monodominated the invaded area. In the study plot, however, $P$. nagi and $N$. aciculata were codominant (Chapter 2 and Chapter 4). Can the two species continue to cocxist?

## A transition matrix model for forest dynamics

A tree-by-tree replacement model has been used to predict forest dynamics (e.g. Horn 1975, Acevedo L. 1981). This model was represented by a transition matrix with elements $p_{i j}$ which are probabilitics that a trec of species $i$ will replace a tree of species $j$. To examine effects of seed dispersal ability and diocey on the competition between $P$. nagi and $N$. aciculata, and to discuss the probability of cocxistence of the two specics, a tree-by-tree replacement model was proposed (Fig. 5.1). The model is based on the following assumptions in the view of the results presented in preceding chapters: (1) The forest is composed of areas that can be allocated to one of three phases based on the canopy trees, i.e., female $P$. nagi is dominant in the F-phase, malc $P$. nagi in the Mphase and $N$. aciculata in the N -phase (Chapter 2 and Chapter 4). The proportion of each area in the forest is $f_{\mathrm{F}}, f_{\mathrm{M}}$ and $f_{\mathrm{N}}$, respectively; (2) Scx ratio of $P$. nagi is unity (Chapter 2 and Chapter 3); (3) The F-phase is replaced by a canopy tree of P. nagi (Chapter 2 and Chapter 4); (4) The proportion of the M-phase or the N -phase replaced by a canopy tree of $P$.nagi is $r$. The value of $r$ is proportional to the value of $f_{\mathrm{F}}$, i.e., $r=k f_{\mathrm{F}}$. The $k$ is a constant and an index of dispersal ability of $P$. nagi; and (5) Scedlings of $N$. aciculata nccur in all three phases and canopy trees of $N$. aciculata replace the phases that are not replaced by P. nagi (Chapter 2 and Chapter 4).


Fig. 5.1. Schematic diagram of regencration patterns in Podocarpus nagi and Neolitsea aciculata. Direction of replacement in canopy trees is shown by arrows. The forest is composed of areas that can be allocated to one of three phases based on the canopy trees, i.c., Female $P$. nagi is dominant in the F-phase, male $P$. nagi in the M-phase and $N$. aciculata in the N -phase. The proportion of each phase in the forest is $f_{\mathrm{F}}, f_{\mathrm{M}}$ and $f_{\mathrm{N}}$, respectively $\left(f_{\mathrm{F}}+f_{\mathrm{M}}+f_{\mathrm{N}}=1\right)$. Scx ratio of $P$. nagi is unity. The F-phase is replaced by a canopy tree of $P$. nagi. The proportion of the M-phase or the N-phase replaced by a canopy tree of Podocarpus nagi is $r$. The value of $r$ is proportional to the value of $f_{\mathrm{F}}$, i.e., $r=k f_{\mathrm{F}}$ ( $k$ is a constant). Canopy trees of $N$. aciculata replace the phases that are not replaced by $P$. nagi. Values by arrows represent transition probabilitics of canopy trees per unit time.

Transition probabilities of three phases based on these assumptions are shown as equation 1 and the proportion of each area at time $t+1$ is predicted by the values of $f_{1}$, $f_{M}$ and $f_{\mathrm{N}}$ at time $t$ as equation 2 :
$\left[\begin{array}{l}f_{r,+11} \\ f_{\mathrm{M}, 111} \\ f_{\mathrm{N},+1}\end{array}\right]=\left[\begin{array}{ccc}0.5 & 0.5 r & 0.5 r \\ 0.5 & 0.5 r & 0.5 r \\ 0 & 1-r & 1-r\end{array}\right]\left[\begin{array}{l}f_{\mathrm{F}, t} \\ f_{\mathrm{M}, r} \\ f_{\mathrm{N}, t}\end{array}\right]$
eqn 1
$\begin{array}{ll}f_{\mathrm{F}, t+1}=0.5 f_{\mathrm{F}, t}+0.5 r f_{\mathrm{M}, 1}+0.5 r f_{\mathrm{N}, t} & \text { eqn } 2 \mathrm{a} \\ f_{\mathrm{M}, t+1}=0.5 f_{\mathrm{F}, t}+0.5 r f_{\mathrm{M}, t}+0.5 r f_{\mathrm{N}, t}, & \text { cqn } 2 \mathrm{~b} \\ f_{\mathrm{N}, t+1} & =(1-r) f_{\mathrm{M}, t}+(1-r) f_{\mathrm{N}, t,},\end{array}$
where $f_{\mathrm{F}, t+1}, f_{\mathrm{M}, t+1}$ and $f_{\mathrm{N}, t+1}$ are proportions of the F-phase, the M-phase and the N -phase at time $t+1$, respectively, and $f_{\mathrm{F}, r} f_{\mathrm{M}, t}$ and $f_{\mathrm{N}, \mathrm{t}}$ are proportions of the F-phase, the Mphase and the $N$-phase at time $t$, respectively.

Based on the assumption (1),
$f_{F}+f_{M}+f_{N}=1$ eqn 3

Based on the assumption (2),
$f_{1}=f_{M}$ cqn 4

Based on the assumption (4),
$r=k f_{\mathrm{F}}$, eqn 5
a constant, $k$, indicate a degrec of the dispersal ability of $P$. nagi.
Using equations 3,4 and 5 , equations $2 \mathrm{a}, 2 \mathrm{~b}$ and 2 c can be rewritten by one equation represented by $f_{\mathrm{F}}$ as equation 6:

$$
\begin{equation*}
f_{\mathrm{F}, t+1}=-0.5 k f_{\mathrm{F}, t}\left(f_{\mathrm{F}, t}-\frac{1}{k}-1\right) \tag{eqn 6}
\end{equation*}
$$

The equation 6 represents the proportion of the $F$-phase in the forest. The proportion of the areas dominated by canopy trees of $P$. nagi, i.c. the sum of the F-phase and the Mphase, is defined as $f_{\mathrm{F}+\mathrm{m}}$ :
$f_{\mathrm{F}+\mathrm{M}}=f_{\mathrm{F}}+f_{\mathrm{M}}$
eqn 7

Using equations 4, 6 and $7, f_{\mathrm{F}+\mathrm{M}}$ is represented as equation 8:
$f_{\mathrm{F}+\mathrm{M}, t+1}=-0.25 k f_{\mathrm{F}+\mathrm{M}, t}\left(f_{\mathrm{F}+\mathrm{M}, t}-\frac{2}{k}-2\right)$
eqn 8

## Chapter 5

## Probability of coexistence of Podocarpus nagi and Neolitsca aciculata

Since $1 t$ is assumed that all areas are occupied by P. nagi and N. ariculata (assumption (1)), the forest dynamics is specified by the behaviour of $f_{1+m}$ through time (Fig. 5.2). When $k \leq 1$, the stable equilibrium point of $f_{1+\mathrm{M}}$ value $\left(f_{\mathrm{F}+\mathrm{M}}\right)$ is 0 (Fig. 5.2a). This result indicates the extinction of the $P$. nagi population. When $k \geq 2$. the stable equilibrium point of $f_{\mathrm{F}+\mathrm{m}}$ value is 1 (Fig. 5.2 c ). This result indicates the extinction of the $N$. aciculata population. When $1<k<2$, the stable equilibrium point is. $f_{\mathrm{F}+\mathrm{M}}=2-2 / k$ and $0<f_{\mathrm{F}+\mathrm{M}}$ $<1$ (Fig. 5.2b). This result indicates the stable cocxistence of $P$. nagi and N. aciculata. These results are not dependent on initial values of $f_{\mathrm{F}+\mathrm{M}}$. The transition matrix model supported the hypothesis that the two species can cocxist by trade-off between competitive ability and dispersal ability and by dioecy of $P$. nagi, when $1<k<2$.


Fig. 5.2. Stable equilibrium obtained by (a) $k \leq 1$, (b) $1<k<2$ and (c) $k \geq 2$. Valucs of $f_{\mathrm{F}+\mathrm{M}}$ represent the proportion of areas dominated by canopy trecs of Podocarpus nagi at an arbitrary time, $t$.

## Effects of sex ratio of Podocarpus nagi on forest dynamics

Based on the assumption that sex ratio of $P$. nagi is unity, P. nagi and N. aciculata can coexist when $1<k<2$. In this section, the author will examine the influence of sex ratio of $P$. nagi on the coexistence of the two species.

The female ratio (female/(female + male)) in the $P$. nagi population is defined as $R_{\mathrm{F}}\left(0<R_{\mathrm{F}}<1\right)$. Transition probabilitics of three phases are shown as cquation 9 and the
proportion of each area at tume $t+1$ is predicted by the values of $f_{1} . f_{\mathrm{M}}$ and $f_{\mathrm{N}}$ at time $t$ as cquation 10 .
$\left[\begin{array}{l}f_{\mathrm{F}, t-1} \\ f_{\mathrm{M}, r \mid 1} \\ f_{N, I I}\end{array}\right]=\left[\begin{array}{ccc}R_{\mathrm{F}} & R_{\mathrm{r}} r & R_{\mathrm{F}} r \\ \left(1-R_{\mathrm{V}}\right) & \left(1-R_{\mathrm{r}}\right) r & \left(1-R_{\mathrm{F}}\right) r \\ 0 & 1-r & 1-r\end{array}\right]\left[\begin{array}{l}f_{\mathrm{F}, t} \\ f_{\mathrm{M}, 1} \\ f_{\mathrm{N}, 1}\end{array}\right]$
cqn 9
$f_{1, t+1}=R_{\mathrm{E}} f_{\mathrm{F}, 1}+R_{\mathrm{F}} r f_{\mathrm{M}, 1}+R_{\mathrm{F}} r f_{\mathrm{N}, t}$
cqn $10 a$
$f_{\mathrm{M},+1}=\left(1-R_{\mathrm{F}}\right) f_{\mathrm{F}, t}+\left(1-R_{\mathrm{F}}\right) r f_{\mathrm{M}, 1}+\left(1-R_{\mathrm{R}}\right) r f_{\mathrm{N}, t} \quad$ eqn 10 b
$f_{\mathrm{N}, t+1}=(1-r) f_{\mathrm{M}, i}+(1-r) f_{\mathrm{N}, t}$ cqn 10 c

At cquilibrium point, $f_{\mathrm{F}, t+1}=f_{\mathrm{F}, t}=f_{\mathrm{F}}^{*}, f_{\mathrm{M}, r+1}=f_{\mathrm{M}, t}=f_{\mathrm{M}}^{*}$ and $f_{\mathrm{N}, t+1}=f_{\mathrm{N}, t}=f_{\mathrm{N}}^{*}$. Thercfore, equation 10 is rewritten as equation 11.
$f_{\mathrm{F}}=R_{\mathrm{E}} f_{\mathrm{F}}^{*}+R_{\mathrm{F}} \cdot f_{\mathrm{M}}^{*}+R_{\mathrm{F}} \cdot f_{\mathrm{N}}^{*}$ cqn 11 a
$f_{\mathrm{M}}^{*}=\left(1-R_{\mathrm{F}}\right) f_{\mathrm{F}}^{*}+\left(1-R_{\mathrm{F}}\right) r f_{\mathrm{M}}^{*}+\left(1-R_{\mathrm{F}}\right) r f_{\mathrm{N}}^{*}$ cqn 11 b
$f_{N}^{*}=(1-r) f_{M}^{*}+(1-r) f_{N}^{*}$ eqn 11c

Using equations 3, 5 and a condition that females and males of $P$. nagi are in the ratio of $R_{\mathrm{F}}:\left(1-R_{\mathrm{F}}\right)$, equation 11 can be rewritten by $k$ and $R_{\mathrm{F}}$ as equation 12 .
$f_{\mathrm{F}}^{*}=\frac{1}{k}+1-\frac{1}{k R_{\mathrm{F}}}$
eqn $12 a$
$f_{\mathrm{M}}^{*}=\frac{2}{k R_{\mathrm{F}}}+\frac{1}{R_{\mathrm{F}}}-\frac{1}{k R_{\mathrm{F}}{ }^{2}}-\frac{1}{k}-1$ eqn $12 b$
$f_{\mathrm{N}}^{\star}=1-\frac{1}{k R_{\mathrm{F}}}-\frac{1}{R_{\mathrm{F}}}+\frac{1}{k R_{\mathrm{F}}{ }^{2}}$
eqn 12 c

The proportion of the areas dominated by canopy trees of P. nagi, i.c. the sum of the Fphase and the M-phase ( $f_{\mathrm{F}}+f_{\mathrm{M}}$ ), is represented as cquation 13 .
$f_{\mathrm{F}+\mathrm{M}}=\frac{1}{k R_{\mathrm{F}}}+\frac{1}{R_{\mathrm{F}}}-\frac{1}{k R_{\mathrm{F}}{ }^{2}}$

## Chapter 5

When $0<f_{1, \mathrm{M}}^{*}<1 . P$. nagi and $N$. aciculata coexist. This occurs when $1 / R_{\mathrm{F}}-1<k<$ $1 / R_{\mathrm{F}}$. (Fig. 5.3). When $k \geq 1 / R_{\mathrm{F}}$, the value of $f_{\mathrm{F}+\mathrm{M}}^{*}$ is 1 and the value of $\mathrm{f}_{\mathrm{N}}$ is 0 . This indicates that $P$. nagi exclude $N$. aciculata (Fig. 5.3). When $k \leq 1 / R_{\mathrm{F}}-1$, the value $f_{\mathrm{F}+\mathrm{M}}$ value is 0 and the value of $f_{\mathrm{N}}$ is 1 . This indicates that $N$. aciculata exclude $P$ nagi (Feg. 31.


Fig. 5.3. Dependence of the slable equilibrium state of a Podocarpus nagi and Neolitsea aciculata system on two model parameters, $R_{F}$ and $k$. If the sex expression of $P$. nagi is dioecy ( $0<R_{\mathrm{F}}<1$ ), the two species coexist if $1 / R_{\mathrm{F}} \quad 1<k<1 / R_{\mathrm{F}}$. If the sex expression of $P$. nagi is coscxual (e.g. hermaphrodite) ( $R_{\mathrm{F}}=1$ ), the two species can cocxist only when $k=0$.

## Effects of dioecy of Podocarpus nagi on forest dynamics

If the sex expression of $P$. nagi is cosexual (e.g. hermaphrodite), all $P$. nagi trees can produce seeds, therefore, the forest is composed of two phases, i.e., the F-phase and the N-phase. Transition probabilities of threc phases are shown as equation 14 and the proportion of each area at time $t+1$ is predicted by the valucs of $f_{\mathrm{F}}$ and $f_{\mathrm{N}}$ at time $t$ as cquation 15 .
$\left[\begin{array}{l}f_{1,+11} \\ f_{\mathrm{N}, 1+1}\end{array}\right]=\left[\begin{array}{cc}1 & r \\ 0 & 1-r\end{array}\right]\left[\begin{array}{l}f_{\mathrm{F}, 1} \\ f_{\mathrm{N}, 1}\end{array}\right]$
eqn 14
$\begin{array}{ll}f_{\Gamma, N_{1}}=f_{F, I}+r f_{N, t} & \text { cqn } 15 \mathrm{a} \\ f_{N,+1}=\left(1-n f_{N,}\right. & \text { cqn } 15 b\end{array}$
At equilibrium point, $f_{\mathrm{r}, t+1}=f_{\mathrm{r}, 4}=f_{1}^{*}$ and $f_{\mathrm{N}, 1+1}=f_{\mathrm{N}, 1}=f_{\mathrm{N}}$. Therefore, using equation 5 , equation 15 is rewritten as equation 16.

$$
\begin{array}{ll}
f_{\mathrm{F}}=f_{\mathrm{F}}^{*}+k f_{\mathrm{F}}^{*} f_{\mathrm{N}}^{*} & \text { eqn } 16 \mathrm{a} \\
f_{\mathrm{N}}=f_{\mathrm{N}}-k f_{\mathrm{V}} f_{\mathrm{N}}^{*} & \operatorname{cqn} 16 \mathrm{~b}
\end{array}
$$

Equation 16 indicates $k f^{*}{ }_{\mathrm{F}} f^{*}{ }_{\mathrm{N}}=0$. This is materialized when $f_{\mathrm{F}}=0$ or $f^{*}{ }_{\mathrm{N}}=0$ or $k=0$. The condition, $f_{F}=0$ or $f^{*}{ }_{N}=0$, implics the extinction of $P$. nagi or $N$. aciculata, respectively. Therefore, the two species can coexist only when $k=0$ (Fig. 5.3), i.c., $P$. nagi trees replace only the F-phasc. This implics that, if P. nagi trecs can replace the N phase a little, $N$. aciculata is gradually excluded by $P$. nagi even though $N$. aciculata has a superior dispersal ability than $P$. nagi. Therefore, the two specics can not cocxist only by the trade-off between competitive ability and dispersal ability.

There are two effects of dioccy on the regeneration pattern of $P$. nagi. One is the decrement of seed-dispersed area throughout the forest (an increment of spatial heterogeneity of dispersed seed density throughout the forest). The other is the increment of spatial heterogeneity of the seed density in the area where the large $P$. nagi trees are dominant (the creation of two phases with a different density of young plants, i.c., Fphase and M-phasc). In the case of cosexual (e.g. hermaphrodite) species, they had only one phase. Dioccy caused a quantitative (coefficient of variance) and qualitative (number of modes) increase in spatial hetcrogeneity of the seed density. The creation of qualitative increase, i.e., two phases of dispersed secd density, enables the coexistence of $P$. nagi and $N$. aciculata.

## Causes of gaps for regeneration of Neolitsea aciculata

Grubb (1977) proposed the regeneration niche for the coexistence of two species, suggesting that, if species A tends to oust species B, necessary conditions were cither the creation of a gap which favours the establishment of B more than $A$ or the creation of a gap at a place where B has propagules and A has not. Hanski \& Ranta (1983) reported species coexistence is possible by a trade-off between competitive ability and drspersal ability and by creation of empty areas of competitors. Our results suggested that the male
P. nagi trecs continucd to create a gap for the regeneration of N. aciculata. Grubb (1977) listed factors creating gaps; fite, cyclone, constant winds, and the fall of single trees or branches. These factors create 'canopy gaps' and change environmental conditions suddenly (i.c. disturbance, Sprugcl 1976; Runkle 1981; Romme 1982; White \& Pickett 1985). Our study suggests that a male P. nagi trec can gradually create a gap which decreases the density of $P$. nagı around the male $P$. nagi trees. This 'competitor gap' favours the growth and reproduction of $N$. aciculata. The regeneration niche for $N$. aciculata can be guarantecd by the competitor gap created by male $P$. nagi tres accounting for $50 \%$ or more fraction of reproductive $P$. nagi trees and wide seed dispersal range of $N$. aciculata. The creation of the gap for regeneration of N. aciculata may be caused by the population structure of $P$. nagi itself without any disturbance.

## Summary

## Chapter 1

Species coexistence in plant communities has been a subject of ecological research. For understanding species richness in plant communitics, a plant-by-plant replacement process is important, and this process is affected by biological miteractions among plants. This study aims to reveal the regeneration dynamics of a forest community dominated by two dioecious trec specics, Podocarpus nagi and Neolitsea aciculata, and to discuss the cocxistence mechanism of the two specics, focusing on sex expression (dioccy), seed dispersal ability and intra- and interspecific competition of the two specics. The author hypothesized that (1) seed dispersal in $P$. nagi is limited to the area around female frecs; (2) the density of young plants of $P$. nagi become high in the area around female trees but low in the area around male trecs; (3) seed dispersal of N. aciculata is sufficient to occur at any point within the forest; and (4) the regeneration of $N$. aciculata is facilitated where P. nagi plants are uncommon and competition is therefore less intense.

## Chapter 2

Spatial patterns of two codominant dioccious tree species, Podocarpus nagi and Neolitsea aciculata, were analysed at Mt. Mikasa, Nara City, Japan. Podocarpus nagi has a higher shade tolerance than $N$. aciculata, while it has a narrower seed dispersal range than $N$. aciculata. The author examined the effects of dioccy on regeneration and coexistence of the two species. Large seeds (10-15 mm in diameter) of $P$. nagi were dispersed by gravity only around female trecs. Young plants of $P$. nagi were clumped and showed a significant attraction to large female trecs and a significant repulsion from large male trees. Dioccy affected the spatial heterogencity of plant density in the $P$. nagi population. Young plants of $N$. aciculata showed no significant attraction to female trees because sceds of $N$. aciculata were widely dispersed by birds. The wide seed-dispersal moderated the effects of dioccy on the spatial pattern in N. aciculata. Large N.aciculata trees were clumped and showed a significant attraction to large male $P$. nagi trecs. The results of spatial analyses suggest that the growth of $N$. aciculata is facilitated around large male $P$. nagi trees, in which competition is less intense since young $P$. nagi plants are uncommon. This study suggests that the dinecy-induced population structure of $P$. nagi can promote the coexistence of $P$. nagi and $N$. aciculata.

## Chapter 3

Sex ratio, size structure and spatial pattern of a dioecious tree species, Podocarpus magi, were analysed according to size class at Mt. Mikasa. Nara City, Japan. The roles of life history traits on the formation of the sex-related population structure were discussed. The sex ratio of reproductive trees larger than 5 cm in stem diameter at breast height (d.b.h., 130 cm above ground level) was significantly male-biased. The sex ratio was malebiascd in $5 \leq \mathrm{d} . \mathrm{b} . \mathrm{h} .<20 \mathrm{~cm}$ class and d.b.h. $\geq 50 \mathrm{~cm}$ class, while in $20 \leq \mathrm{d} . \mathrm{h} . \mathrm{h} .<50$ cm class the sex ratio did not depart from 1:1. The growth rate varied with tree size for males but not for females. Males showed a lower growth rate than females in $5 \leq$ d.h.h. $<20 \mathrm{~cm}$ class, although the number of males with high growth rates was significantly large in d.b.h. $\geq 20 \mathrm{~cm}$ class. Precocity and vigour of males suggested that differences in reproductive cost between sexes induced the biased sex ratio. Males and females were clumped and showed a significant attraction to each other in $5 \leq$ d.b.h. $<30 \mathrm{~cm}$ class. In d.b.h. $\geq 30 \mathrm{~cm}$ class, males showed a clumped distribution, whereas females showed a random distribution and males and females showed a significant repulsion against each other. Growth rate of females was negatively correlated with both local crowding of inales and females, whereas growth rate of males did not show any significant corrclation with local crowding of neighbours. Females suffered more than males from the presence of neighbours, suggesting that sexual difference of competitive ability was related with the formation of gender-dependent spatial patterns. Formation of female-repulsive male clumps and male-biased sex ratio may intensify the decrease in probability of regeneration around males, proposed by the narrow seed dispersal range of P. nagi, and may promote the coexistence with other codominant species.

## Chapter 4

Spatial patterns, changes in spatial patterns duc to mortality, and intra- and interspecific compctitions of two codominant dioccious tree specics, Podocarpus nagi and Neolitsea aciculata, were analysed at Mt. Mikasa, Nara City, Japan. Podocarpus nagi has a higher shade tolerance but a narrower seed dispersal range than $N$. aciculata. We inferred the mechanisms of patch formation and cocxistence of the two species. Podocarpus nagi and N. aciculata trees were clumped and showed a spatial repulsion from each other. Patches dominated by cither P. nagi or N. aciculata were formed. Podocarpus nagi trees were leas clumped with increasing tree size, although no significant change in spatial patterns
duc to mortality was detected for 6 years. A patch formation ot the $P$ nagi pupulation was induced by the narrow seed dispersal range and diocey rather than by post-dispersal mortality. Neolitsea aciculata trecs were more clumped and more repulsive from P. nagl trees with increasing tree size. The distribution of small $N$. aciculata trees living in 1998 was significantly more clumped than that expected from the random mortahty of trees living in 1992. Post-dispersal mortality duc to interspecffic competiton (competitive exclusion by $P$. nagi) affected the patch formation of the $N$. aciculata population. The relative importance of intraspecific compctition to interspecific competition on the growth rate increased with the life-history stage from small trees to large trees. The shift corresponded to an increasing spatial repulsion between the two species. Interdependence of spatial and competitive interactions between the two species was suggested. The patch formation of $P$. nagi population may create the spatial refuge of $N$. aciculata from $P$. nagi and may enable avoidance of interspecific competition and the cocxistence of the two species.

## Chapter 5

To discuss the coexistence mechanism of Podocarpus nagi and Neolitsea aciculata, a trec-hy-tree replacement model was proposed. The model is based on the assumption that the forest is composed of areas that can be allocated to one of three phases based on the canopy trees, i.c., female $P$. nagi is dominant in the F-phase, male $P$. nagi in the Mphase, and N. aciculata in the N-phase. The proportion of the M-phase or the N -phase replaced by a canopy tree of $P$. nagi, $r$, determined whether the two species coexist or not. The values of $r$ that enable coexistence of the two species was dependent on the sex ratio of $P$. nagi. The model suggested that the coexistence of the two species was promoted not only by a trade-off between the greater shade tolerance of $P$. nagi and the supcrior secd dispersal ability of $N$. aciculata but also by a dinecy of $P$. nagi. The model suggests that the regeneration niche for $N$. aciculata can be guaranteed by the 'competitor gap' created by malc $P$. nagi trecs accounting for $50 \%$ or more fraction of reproductive $P$. nagi trees and wide seed dispersal range of $N$. aciculata. The creation of the gap for regeneration of $N$. aciculata may be caused by the population structure of $P$. nagi itself without any disturbance.

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