

$$F\Gamma_{\mathfrak{g}}^{\mathbb{C}} \quad \text{is } \dots$$

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$\Gamma_{\mathfrak{g}}^{\mathbb{C}}$ is $\mathbb{C}^{\mathfrak{g}}$ of local isomorphism of germ of \dots
topological groupoid,

$$\nu: \Gamma_{\mathfrak{g}}^{\mathbb{C}} \rightarrow GL(\mathfrak{g}, \mathbb{C})$$

is differential isomorphism, ν induces isomorphism
of classification space of the bundle also by ν :

$$\nu: B\Gamma_{\mathfrak{g}}^{\mathbb{C}} \rightarrow BGL(\mathfrak{g}, \mathbb{C}).$$

in this case, the homotopy fibre of ν is $F\Gamma_{\mathfrak{g}}^{\mathbb{C}}$.
The homotopy group of $F\Gamma_{\mathfrak{g}}^{\mathbb{C}}$ is \dots , Landweber [4]
has the following result:

$$\pi_i(F\Gamma_{\mathfrak{g}}^{\mathbb{C}}) = 0, \quad i < \mathfrak{g}.$$

そこでこの話では、次の定理の証明の概略をのべておこう：

Theorem $\pi_3(FI_3^{\mathbb{C}}) = 0$.

証明は Landweber [4] が Gromov^[2] の南多様体に関するある種の homotopy equivalence を用いるのに対して、ここでは Gromov [3] の convex integration theory を用いる。くわしくは [1] を参照されたい。

参考文献

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- [4] P. S. Landweber, Complex structures on open manifolds, Topology, 13(1974), 69-76.