

## Data and text mining

# HPOFiller: identifying missing protein-phenotype associations by graph convolutional network

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#### **Abstract**

Motivation: Exploring the relationship between human proteins and abnormal phenotypes is of great importance in the prevention, diagnosis and treatment of diseases. The human phenotype ontology (HPO) is a standardized vocabulary that describes the phenotype abnormalities encountered in human diseases. However, the current HPO annotations of proteins are not complete. Thus, it is important to identify missing protein-phenotype associations.

Results: We propose HPOFiller, a graph convolutional network (GCN)-based approach, for predicting missing HPO annotations. HPOFiller has two key GCN components for capturing embeddings from complex network structures: 1) S-GCN for both protein-protein interaction (PPI) network and HPO semantic similarity network to utilize network weights; 2) Bi-GCN for the protein-phenotype bipartite graph to conduct message passing between proteins and phenotypes. The core idea of HPOFiller is to repeat run these two GCN modules consecutively over the three networks, to refine the embeddings. Empirical results of extremely stringent evaluation avoiding potential information leakage including cross-validation and temporal validation demonstrates that HPOFiller significantly outperforms all other state-of-the-art methods. In particular, the ablation study shows that batch normalization contributes the most to the performance. The further examination offers literature evidence for highly ranked predictions. Finally using known disease-HPO term associations, HPOFiller could suggest promising, unknown disease-gene associations, presenting possible genetic causes of human disorders.

Availability: https://github.com/liulizhi1996/HPOFiller

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Supplementary information: Supplementary data are available at Bioinformatics online.

#### 1 Introduction

Uncovering phenotypic correlations of gene mutations has long been an essential task in genetics research. The Human Phenotype Ontology (HPO) (Köhler et al., 2019) provides a standardized vocabulary of phenotype abnormalities encountered in human diseases and of their semantic relationships. The HPO annotations of human genes can facilitate disease gene identification and prioritization and hence assist clinical diagnostics (Köhler et al., 2009).

Fig. 1 shows the average number of HPO annotations including ancestors of the specific annotations over proteins. We keep track of proteins that already exist in the database released in March 2018 and count how many annotations each protein has on average as time goes on. This figure indicates an around 20% increase of the average number in the past two years, implying that a large number of missing associations still exist between proteins and phenotypes. The incomplete HPO annotations would degrade the performance of phenotype prediction tools (Liu et al.,

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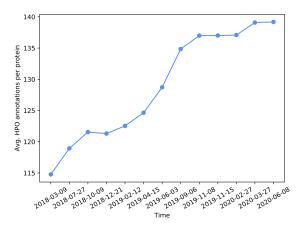


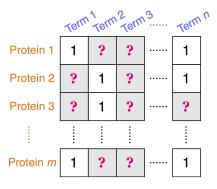
Fig. 1. For proteins that already existed in the HPO annotations released on 2018-03-09, the average number of annotations (including ancestors of the specific annotations) per protein increased over time.

2020) and affect the analysis of genetic causes of disorders. Thus it would be imperative to develop a computational method for identifying missing protein-HPO term associations.

However, filling the missing HPO annotations is a very challenging task: 1) The annotations are highly sparse. For HPO annotations released by June 2020, annotations (positive examples) are only 1.58% among all possible pairs of proteins and HPO terms. 2) The distribution of HPO annotations is skewed. In HPO released by June 2020, more than 1,700 out of 15,054 HPO terms are used to annotate only one protein, while over 3,700 terms are associated with more than 10 proteins. 3) HPO terms are not independent of each other but organized hierarchically as a directed acyclic graph (DAG). The directed edge between two terms represents an "is-a" relationship, keeping the "true-path-rule". That is, a protein, which is annotated with a given term, can be annotated with all ancestor terms in the DAG.

The importance of protein-protein interaction (PPI) network for prediction of HPO annotations is broadly recognized, due to an assumption that strongly interacted proteins are more likely to be associated with similar phenotypes (Oti *et al.*, 2006; Goh *et al.*, 2007). Thus, taking the PPI network as input data, can be of great help to identify missing HPO annotations. Besides, the similarity between HPO terms providing quantitative measures of phenotype relationships would be useful likewise. Accordingly, we have three input graphs: two types of similarity networks separately for proteins and HPO terms, and a bipartite network by annotations between proteins and HPO terms.

Recently graph convolutional networks (GCNs) (Defferrard et al., 2016; Kipf and Welling, 2017), the extension of convolutional neural networks (CNNs) for specifically graph-based data, has achieved great success in many applications. GCN with non-linear activations is suitable for capturing the complex structures behind the input networks. In addition, stacking multiple GCN layers leads to the expressive modeling of high-order connectivity which makes the model not limited to focus on local-structure. We thus, for predicting missing HPO annotations, present a GCN-based approach, termed HPOFiller, to utilize three types of input networks. In particular, we design two kinds of GCN blocks: 1) S-GCN on PPI network and HPO similarity network, respectively, that aggregates feature information from neighbors, considering edge weights, to obtain better representations; 2) Bi-GCN on the protein-phenotype bipartite network that allows feature information interchanging between proteins and HPO terms. It is noteworthy that we adopt HPO semantic similarity rather simply HPO binary hierarchy to enable the information



**Fig. 2.** An illustration of the prediction of missing HPO annotations problem. An entry of 1 indicates the association between the corresponding protein and HPO term is known, and an entry filled with question mark means an unobserved relationship. Our goal is to figure out which unidentified annotations may be true.

to flow between the siblings or ancestor-descendant more than strict parentchild, in order that the model can find similar HPO terms more broadly and deeply. During the training stage, we propose an enhanced annotation matrix as the objective goal to relax the label sparsity.

We extensively evaluated the performance of HPOFiller through cross-validation and temporal validation. Specially, we designed an extremely strict cross-validation procedure avoiding any potential information leakage between training and test sets. Experimental results demonstrated that HPOFiller outperformed state-of-the-art methods by large margins under both cross-validation and temporal validation. Particularly, the ablation study revealed that batch normalization contributed the most to the performance. In addition, we confirmed literature evidence for predictions highly ranked by HPOFiller but not yet been added to the latest HPO annotations database, implying potentially performance under-estimation. Finally, using disease-HPO term associations, HPOFiller found promising, unknown disease-gene associations, presenting the predictability of our method for possible genetic causes of human diseases.

#### 2 Related work

Completing protein-HPO term associations has been tackled mainly by label propagation-based and matrix completion-based approaches.

A well-known assumption is that similar proteins tend to be related to similar abnormal phenotypes, which is consistent with smoothness assumption in label propagation (LP) (Zhu et al., 2003). Petegrosso et al. (2017) extended vanilla LP (Zhou et al., 2003) to dual label propagation (DLP) by coupling smoothness term imposing smoothness in PPI network and another term imposing smoothness in the HPO hierarchy, which encouraged directly connected phenotypes to be associated with the same protein. DLP was further extended to tlDLP (Petegrosso et al., 2017) by adopting transfer learning. It incorporated GO annotations and let proteins with similar functions be likely to be associated with similar phenotypes.

Matrix completion captured intrinsic relationships between proteins and phenotypes in a latent space. Typically, AiProAnnotator (Gao *et al.*, 2018) imposed graph Laplacians on both PPI network and HPO similarity to standard matrix completion (SMC) over the protein-phenotype matrix to find better low-rank approximation solution.

In general, the above methods were not competent enough to capture non-linear relations underlying protein-phenotype associations. Recently, graph convolutional network (GCN) (Defferrard *et al.*, 2016; Kipf and Welling, 2017) has opened a new paradigm for graph learning and achieved great success in numerous fields, such as disease gene prioritization (Han *et al.*, 2019), polypharmacy side effects prediction (Zitnik *et al.*, 2018), and drug repurposing (Wang *et al.*, 2020), etc. We here apply GCN to

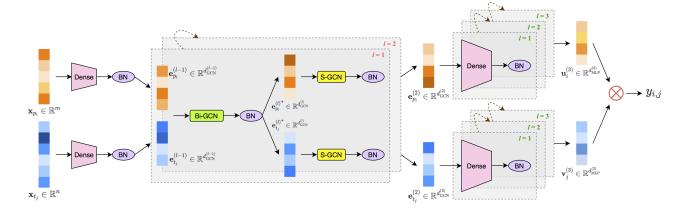


Fig. 3. The overall framework of HPOFiller. The input features generated by random walk with restart are transformed into low-dimensional representations at first. After that, we stack two modules to be comprised of Bi-GCN and S-GCN to refine the feature vectors. Finally, three fully-connected layers are used to reduce the dimensions and output the final representations. The prediction is made by multiplying protein's and HPO term's representations. Batch normalization is added between two consecutive layers.

identifying missing protein-phenotype associations, and to the best of our knowledge, this is the first work based on GCN for this problem.

## 3 Methods

#### 3.1 Problem statement

Given m proteins  $\mathcal{P}=\{p_1,p_2,\cdots,p_m\}$  and n HPO terms  $\mathcal{T}=\{t_1,t_2,\cdots,t_n\}$ , the known associations between them are represented by a binary matrix  $\tilde{\mathbf{Y}}$ , where  $\tilde{\mathbf{Y}}_{ij}=1$  if protein  $p_i$  is annotated by HPO term  $t_j$ , otherwise  $\tilde{\mathbf{Y}}_{ij}=0$ . However,  $\tilde{\mathbf{Y}}_{ij}=0$  does not mean that there must be no relation between  $p_i$  and  $t_j$ , but only that this link has not been observed yet. Our objective is to identify those missing HPO annotations (Fig. 2). Specifically, for protein  $p_i$ , we want to find the HPO term  $t_j$  that  $\tilde{\mathbf{Y}}_{ij}=0$  but  $t_j$  may potentially be related to  $p_i$ . It is noteworthy that we are not to predict annotations of novel proteins (i.e. proteins without any known annotations) but rather to identify the missing annotations of those proteins with known (but incomplete) annotations.

#### 3.2 Key idea

We have two types of building blocks: proteins and HPO terms. Our main procedure has two steps: 1) The two types of building blocks are first combined together as a bipartite graph through HPO annotations to preliminarily estimate the embeddings in the latent space, 2) which are then further refined by using similarity networks separately for each type of building blocks. To be more specific, HPOFiller has two GCN modules: Bi-GCN and S-GCN. Bi-GCN first merges the information from both proteins and phenotypes through HPO annotation bipartite network to estimate latent representations, which are further refined by S-GCN separately for proteins and HPO terms, particularly by using edge weights over protein (and HPO terms) similarity network. We repeat this main procedure and the resultant embeddings are transformed into low-dimensional vectors through multi-layer perceptron, separately for proteins and HPO terms, to be taken for prediction. Fig. 3 illustrates the pipeline of this process.

#### 3.3 Graph construction

#### 3.3.1 Protein-HPO term bipartite graph

We construct a bipartite graph with m protein nodes and n HPO term nodes for describing protein-HPO term associations. If a protein has been annotated with an HPO term, an edge is added to link them. Formally, we

denote its adjacency matrix  $\mathbf{A} \in \{0,1\}^{(m+n)\times(m+n)}$  as

$$\mathbf{A} = \begin{bmatrix} \mathbf{0} & \mathbf{\tilde{Y}} \\ \mathbf{\tilde{Y}}^\mathsf{T} & \mathbf{0} \end{bmatrix}. \tag{1}$$

where  $\tilde{\mathbf{Y}} \in \{0,1\}^{m \times n}$  is the known annotation matrix, and  $\mathbf{0}$  is all-zero matrix

#### 3.3.2 Similarity of proteins

The PPI network has been demonstrated as one of the most informative data sources in the HPO prediction problem (Kahanda *et al.*, 2015; Liu *et al.*, 2020). We utilize STRING (Szklarczyk *et al.*, 2019) to quantify the similarity of two proteins. The protein similarity graph is denoted by  $\mathbf{S}_p \in \mathbb{R}^{m \times m}$  with entries being interacting scores.

#### 3.3.3 Similarity of HPO terms

The HPO terms are organized as a Directed Acyclic Graph (DAG), where each term can have multiple parents and multiple children. Petegrosso *et al.* (2017) assumed that the connected phenotypes (parent-child pairs) were likely to be associated with the same protein. However, the flow of information was strictly restricted to these parent-child edges, and hence it hinders from finding similar phenotypes in different branches. To address this issue, we compute the semantic similarity between HPO terms by using the information coefficient (Sim<sub>IC</sub>) measure (Li *et al.*, 2010), which is based on the Information Content (IC) (Resnik, 1995) for HPO term *t*:

$$IC(t) = -\log \frac{N_t}{N},\tag{2}$$

where N is the total number of proteins and  $N_t$  is the number of proteins annotated by term t and all its descendants. Then the  $\operatorname{Sim}_{\operatorname{IC}}$  is defined as:

$$sim_{IC}(t_1, t_2) = \frac{2 \times IC(t_{MICA})}{IC(t_1) + IC(t_2)} \times \left(1 - \frac{1}{1 + IC(t_{MICA})}\right), \quad (3)$$

where  $t_{\text{MICA}}$  is the Most Informative Common Ancestor (MICA) (Resnik, 1999) of  $t_1$  and  $t_2$ , i.e. the common ancestor with the highest IC. Here, we denote the HPO semantic similarity graph as  $\mathbf{S}_t \in \mathbb{R}^{n \times n}$  with entries being their information coefficients.

#### 3.4 Feature generation

Each row of protein similarity matrix  $S_p$  and HPO term similarity  $S_t$  is able to act as the feature vector in fact, however, they may not sufficiently capture the network structure, especially non-neighbouring, higher-order

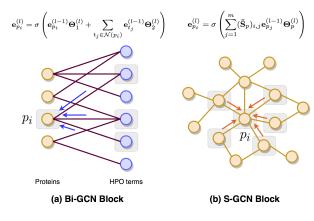


Fig. 4. Schematic information propagation in two types of GCN blocks. (a) Bi-GCN block is run on protein-HPO term association graph with bipartite structure. The embedding for protein  $p_i$  (yellow node highlighted by gray box) is generated by aggregation of incoming messages from the connected HPO terms. (b) S-GCN block is run over similarity graph. In the illustration of message propagation on protein similarity graph, the output embedding of protein  $p_i$  (central node with gray box) is obtained by the weighted sum over the messages from its connected proteins.

connectivity. On this account, we run Random Walk with Restart (RWR) (Tong *et al.*, 2006) separately on  $\mathbf{S}_p$  and  $\mathbf{S}_t$  to introduce topological context of each node into their initial vector representations. The procedure can be formulated as the following recurrence equation:

$$\mathbf{p}_{i}^{t+1} = (1 - \alpha)\mathbf{p}_{i}^{t}\mathbf{\hat{S}} + \alpha\mathbf{e}_{i}, \tag{4}$$

where  $\mathbf{p}_i^t$  is a row vector of node i, whose k-th entry indicates the probability of reaching node k after t steps. The initial probabilities  $\mathbf{p}_i^0$  is one-hot vector  $\mathbf{e}_i$  where  $\mathbf{e}_{i,i}=1$  and 0 otherwise.  $\alpha$  is the restart probability.  $\hat{\mathbf{S}}$  is the one-step probability transition matrix obtained from  $\mathbf{S}$  (i.e.  $\mathbf{S}_p$  or  $\mathbf{S}_t$ ) by row-wise normalization. Here,  $\mathbf{S}$  refers to  $\mathbf{S}_p$  (or  $\mathbf{S}_t$ ). After obtaining the steady state, we set feature vector  $\mathbf{x}_{p_i}=\mathbf{p}_i^{\infty}$  on  $\mathbf{S}_p$  (or  $\mathbf{x}_{t_j}=\mathbf{p}_j^{\infty}$  on  $\mathbf{S}_t$ ) for protein  $p_i$  (or HPO term  $t_j$ ), capturing high-order interactions of network nodes.

### 3.5 GCN blocks

#### 3.5.1 Bi-GCN layer

Bi-GCN refines the embeddings of proteins and HPO terms by communicating information between proteins and HPO terms. That is, Bi-GCN propagates the embedding over protein-HPO term bipartite graph  $\bf A$ . Let us take protein  $p_i$  as an example, in the l-th layer, the process can be formulated as:

$$\mathbf{e}_{p_i}^{(l)} = \sigma \left( \mathbf{e}_{p_i}^{(l-1)} \mathbf{\Theta}_1^{(l)} + \sum_{t_j \in \mathcal{N}(p_i)} \mathbf{e}_{t_j}^{(l-1)} \mathbf{\Theta}_2^{(l)} \right).$$
 (5)

The above equation can be viewed as two steps. First, we construct messages for  $p_i$ 's neighboring nodes (i.e. its annotated HPO terms) and itself, namely  $\mathbf{e}_{t_j}^{(l-1)} \boldsymbol{\Theta}_2^{(l)}$  and  $\mathbf{e}_{p_i}^{(l-1)} \boldsymbol{\Theta}_1^{(l)}$ , respectively. Here,  $\mathbf{e}_{p_i}^{(l-1)} \in \mathbb{R}^{d_{\text{GCN}}^{(l-1)}}, \mathbf{e}_{t_j}^{(l-1)} \in \mathbb{R}^{d_{\text{GCN}}^{(l-1)}}$  denote the node embeddings of  $p_i$  and  $t_j$  in the (l-1)-th layer, respectively.  $\boldsymbol{\Theta}_1^{(l)} \in \mathbb{R}^{d_{\text{GCN}}^{(l-1)} \times d_{\text{GCN}}^{(l)}}, \boldsymbol{\Theta}_2^{(l)} \in \mathbb{R}^{d_{\text{GCN}}^{(l-1)} \times d_{\text{GCN}}^{(l)}}$  are the trainable weight matrices. Then we aggregate the incoming messages by summing over all neighbors  $\mathcal{N}(p_i)$  and  $p_i$  itself, and pass the accumulated message to an activation function  $\sigma(\cdot)$ . Note that we take the self-connection of  $p_i$  into consideration in order to retain the information of original features. The representation  $\mathbf{e}_{t_j}^{(l)}$  for term  $t_j$  can be obtained analogously. To summarize, Bi-GCN allows to combine the information of proteins and HPO terms explicitly.

#### 3.5.2 S-GCN layer

Unlike Bi-GCN running on unweighted graph, S-GCN is designed to make better use of the information lying in the weights on the similarity network. Specifically, taking PPI network  $\mathbf{S}_p$  as an example, we define the l-th S-GCN layer for protein  $p_i$  as:

$$\mathbf{e}_{p_i}^{(l)} = \sigma \left( \sum_{j=1}^m (\tilde{\mathbf{S}}_p)_{i,j} \mathbf{e}_{p_j}^{(l-1)} \mathbf{\Theta}_p^{(l)} \right), \tag{6}$$

where  $\tilde{\mathbf{S}}_p = \mathbf{D}_p'^{-\frac{1}{2}} \mathbf{S}_p' \mathbf{D}_p'^{-\frac{1}{2}}$  is the symmetric normalized adjacency matrix of  $\mathbf{S}_p' = \mathbf{S}_p + \mathbf{I}$  with inserted self-loops, and  $(\mathbf{D}_p')_{ii} = \sum_j (\mathbf{S}_p')_{ij}$  is diagonal degree matrix. Eq. (6) can also be viewed as two-steps operation: the message of  $p_i$ 's neighboring node  $p_j$  is generated by  $\mathbf{e}_{p_j}^{(l-1)} \mathbf{\Theta}_p^{(l)}$  at first, and then those messages are summed up with the edge weights of  $\mathbf{S}_p'$  and fed into an activation function  $\sigma(\cdot)$ .  $\mathbf{\Theta}_p^{(l)} \in \mathbb{R}^{d_{\text{GCN}}^{(l-1)} \times d_{\text{GCN}}^{(l)}}$  is the parameter matrix to learn. If we stack proteins' embeddings vertically, we can rewrite Eq. (6) in matrix form:

$$\mathbf{E}_{p}^{(l)} = \sigma \left( \mathbf{D}_{p}^{\prime - \frac{1}{2}} \mathbf{S}_{p}^{\prime} \mathbf{D}_{p}^{\prime - \frac{1}{2}} \mathbf{E}^{(l-1)} \mathbf{\Theta}_{p}^{(l)} \right). \tag{7}$$

This equation is consistent with that in (Kipf and Welling, 2017). We can produce embedding  $\mathbf{e}_{t_j}^{(l)}$  for term  $t_j$  in an analogous way. The S-GCN layer combines the information of neighbors based on their contributions, which allows the weights (the most important part of similarity graph) to incorporate into our model.

#### 3.6 Model architecture

Fig. 3 shows the entire architecture of HPOFiller. Taking the input of proteins' feature vectors  $\mathbf{X}_p \in \mathbb{R}^{m \times m}$  derived from RWR on protein similarity graph  $\mathbf{S}_p$  and HPO terms's feature vectors  $\mathbf{X}_t \in \mathbb{R}^{n \times n}$  derived from RWR on phenotype similarity graph  $\mathbf{S}_t$ , we first feed them to a dense layer, respectively, to reduce the dimension to the same. The resultant vectors are fed into Bi-GCN and then S-GCN. In Bi-GCN, the two separate information of proteins and HPO terms can be combined by passing messages across them along the edges (i.e. known annotations) in the bipartite graph. This process of the l-th layer can be written as follows:

$$\left[\mathbf{E}_{p}^{\left(l\right)*};\mathbf{E}_{t}^{\left(l\right)*}\right]=\mathrm{BN}^{\left(l\right)}\left(\mathrm{Bi\text{-}GCN}^{\left(l\right)}\left(\left[\mathbf{E}_{p}^{\left(l-1\right)};\mathbf{E}_{t}^{\left(l-1\right)}\right]\right)\right). \tag{8}$$

Those vectors are then fed to corresponding S-GCN blocks, respectively, to refine the embeddings by leveraging the weights of similarity network. Formally speaking, the output is computed as follows:

$$\begin{split} \mathbf{E}_{p}^{(l)} &= \mathrm{BN}_{p}^{(l)} \left( \mathrm{S\text{-}GCN}_{p}^{(l)} \left( \mathbf{E}_{p}^{(l)^{*}} \right) \right), \\ \mathbf{E}_{t}^{(l)} &= \mathrm{BN}_{t}^{(l)} \left( \mathrm{S\text{-}GCN}_{t}^{(l)} \left( \mathbf{E}_{t}^{(l)^{*}} \right) \right). \end{split} \tag{9}$$

By repeatedly performing above operations, we finally obtain the embeddings of proteins and HPO terms that can sufficiently capture the information on two similarity networks and known protein-HPO term annotations. Subsequently, those GCN-generated embeddings are fed to a three-layers perceptron to distill low-dimensional representations, separately for proteins and HPO terms. Specifically, we have final representations as follows:

$$\mathbf{U}^{(3)} = \mathrm{Dense}_{p}^{(3)} \left( \mathrm{BN}_{p}^{(2)} \left( \cdots \mathrm{Dense}_{p}^{(1)} \left( \mathbf{E}_{p}^{(2)} \right) \cdots \right) \right),$$

$$\mathbf{V}^{(3)} = \mathrm{Dense}_{t}^{(3)} \left( \mathrm{BN}_{t}^{(2)} \left( \cdots \mathrm{Dense}_{t}^{(1)} \left( \mathbf{E}_{t}^{(2)} \right) \cdots \right) \right).$$
(10)

Lastly, the probability of protein  $p_i$  being annotated with HPO term  $t_j$  can be predicted by

$$y_{i,j} = \mathbf{u}_i^{(3)} \mathbf{v}_j^{(3)^\mathsf{T}}.\tag{11}$$

It is noteworthy that we add Batch Normalization (BN) module (Ioffe and Szegedy, 2015) between two consecutive layers in order to mitigate internal covariate shift and thus increase the stability. Given a batch of input vectors  $\mathcal{B} = \{\mathbf{x}_1, \cdots, \mathbf{x}_m\}$ , the empirical mean and variance are computed as:

$$\mu_{\mathcal{B}} = \frac{1}{m} \sum_{i=1}^{m} \mathbf{x}_{i} \text{ and } \sigma_{\mathcal{B}}^{2} = \frac{1}{m} \sum_{i=1}^{m} (\mathbf{x}_{i} - \mu_{\mathcal{B}})^{2}.$$
 (12)

After normalization by re-centering and re-scaling:

$$\hat{\mathbf{x}}_i = \frac{\mathbf{x}_i - \mu_{\mathcal{B}}}{\sqrt{\sigma_{\mathcal{B}}^2 + \epsilon}},\tag{13}$$

where  $\epsilon$  is an arbitrarily small constant for numerical stability, the BN transformed output is obtained by

$$\mathbf{x}_i' = \gamma \hat{\mathbf{x}}_i + \beta \equiv BN(\mathbf{x}_i), \tag{14}$$

where  $\gamma$  and  $\beta$  are subsequently learned in the optimization process. From our experiments, we could see that BN contributes greatly to our model (see Section 4.4.2).

#### 3.7 Model training

We adopt classical loss function that minimizes the Frobenius norm of the difference between known annotation matrix and predicted matrix, while the high sparsity of HPO annotations hinders the straight-forward application of  $\tilde{\mathbf{Y}}$ . To alleviate the problem, inspired by (Han *et al.*, 2019), we propose the  $\epsilon$ -enhanced loss function which controls the margin between the predicted score and the label with hyper-parameter  $\epsilon$ . That is, we use the enhanced annotation matrix  $\tilde{\mathbf{Y}}'$  as the target:

$$\tilde{\mathbf{Y}}_{i,j}' = \begin{cases} \epsilon & \text{if } \tilde{\mathbf{Y}}_{i,j} = 1, \\ 0 & \text{otherwise.} \end{cases}$$
 (15)

Accordingly, the loss function can be written as:

$$\mathcal{L} = \|\mathbf{\Omega} \circ (\mathbf{Y} - \tilde{\mathbf{Y}}')\|_F^2 + \lambda \|\mathbf{\Theta}\|_2^2, \tag{16}$$

where  $\Omega$  is the mask of observed entries:  $\Omega_{ij}=1$  when  $\tilde{\mathbf{Y}}_{i,j}$  is in the training set and 0 otherwise,  $\circ$  denotes the Hadamard product (a.k.a element-wise product), and  $\lambda$  is the decay factor to balance the regularization term of all trainable model parameters  $\boldsymbol{\Theta}$  in order to prevent overfitting. Through properly tuning  $\epsilon$  by grid search, we enlarge the margin between the predicted score and the label to improve the influence of relatively few positive samples.

## 4 Experiments

## 4.1 Data

We examined the performance of HPOFiller by two evaluation manners: a) cross-validation and b) temporal validation.

#### 4.1.1 Data preparation for cross-validation

We downloaded human gene-HPO term associations released by 2019-02-12 from HPO project website (http://compbio.charite.de/jenkins/job/hpo.annotations/). Then the genes in raw HPO annotations were mapped into proteins using the UniProt ID mapping tool (https://www.uniprot.org/mapping/). To keep a high data quality, we filtered out proteins that were not stored in Swiss-Prot. The true-path-rule was applied to propagate annotations. In this work, we focused

Table 1. Statistics of dataset used for temporal validation

Proteins HPO terms		Training set	Test set	
3,884	8,797	Before 2019-02-12	2019-02-12 to 2020-06-08	
		474,487 pos. (1.39%)	71,835 pos. (0.21%) 33,621,226 neg. (98.40%)	

Note: "pos." refers to positive sample, while "neg." refers to negative sample.

on the biggest sub-ontology in HPO, Phenotypic Abnormality (PA). Therefore, only HPO terms belonging to PA remained. After processing, the dataset consisted of 3,884 proteins and 8,289 HPO terms. Note that we only remained the terms currently used to annotate at least one protein.

We conducted 10-fold cross-validation in this work. Specifically, we randomly split all protein-HPO term pairs into ten equal-sized parts, where one was held out for test set, and the remaining nine parts constituted the training set. However, it would lead to potential information leakage: if a known HPO annotation (p, t) appears in the test set, while the descendant of t named t' is put into the training set, then we can imply the relation between p and t by simply propagating the known annotation (p,t') according to the true-path-rule. To plug the loophole, for each pair of annotations between protein p and HPO term t in the test set, the associations between p and all the descendants of t were all removed from the training set. Despite such processing in (Petegrosso et al., 2017; Gao et al., 2018), the information leakage still existed. Considering a negative sample (p, t) in the test set that protein p has no known relation with HPO term t, if there exists a negative annotation (p, t') in the training set where t' is the ancestor of t, then we can derive the negative associations (p, t) by propagating negative annotation downward. Therefore, for each negative association (p, t) in the test set, we further removed the negative annotations between p and the ancestors of t in the training set. It is noteworthy that in the cross-validation, we set  $\Omega_{ij}=1$  for the training set and  $\Omega_{ij} = 0$  for the test set.

For the PPI network, we downloaded STRING v11 (https://string-db.org/) released by 2019-01-19. For the HPO semantic similarity, to avoid information leakage, we calculated based on the HPO annotations in the training set rather than the whole set.

#### 4.1.2 Data preparation for temporal validation

In the temporal validation, we adopted a similar strategy as proposed in the CAFA challenge (Radivojac *et al.*, 2013; Jiang *et al.*, 2016). The training set comprised HPO annotations released by 2019-02-12, and the test set comprised the new annotations added from 2019-02-12 to 2020-06-08. HPO annotations in the test set were aligned to 2019-02-12 version and thus the newly created HPO terms were discarded. The statistics of the dataset are shown in Table 1. In order to avoid information leakage, we adopted STRING v11 which released before 2019-02-12 and computed HPO similarity using the training dataset. Note that we set  $\Omega_{ij}=1$  for all  $i=1,\cdots,m$  and  $j=1,\cdots,n$ .

## 4.2 Evaluation metrics

We used three metrics for evaluating pairs of protein-HPO term associations in the test set: 1) AUC: area under the receiver-operating characteristic curve, 2) AUPR: area under the precision-recall curve and 3) AP@K: average precision at the top K measuring the precision at all ranks before position K that hold a relevant item, which was adopted by (Zitnik *et al.*, 2018; Li *et al.*, 2019; Krichene and Rendle, 2020), that is,

$${\sf AP@}K = \frac{1}{\min(|R|,K)} \sum_{i=1}^{K} \delta(i \in R) {\sf P@}K, \tag{17}$$

where R refers to the set of rankings of all relevant items, |R| is the size of R,  $\delta(i \in R) = 1$  if the i-th prediction is correct and 0 otherwise, P@K is

the precision at position K measuring the fraction of relevant items among the top K predicted items:

$$P@K = \frac{|\{r \in R : r \le K\}|}{K}.$$
 (18)

Additionally, we evaluated the performance separately on the leaf HPO terms (i.e. the specific annotations) and the internal HPO terms (i.e. the ancestors of specific terms), named AUC-leaf, AUPR-leaf, AUC-internal and AUPR-internal.

#### 4.3 Competing methods and implementation details

We evaluated the performance of HPOFiller against six state-of-the-art methods which were introduced in Section 2: LP, DLP (Petegrosso *et al.*, 2017), tlDLP-BP and tlDLP-MF (Petegrosso *et al.*, 2017), SMC, and AiProAnnotator (Gao *et al.*, 2018). Note that tlDLP used GO annotations of either biological process (tlDLP-BP) or molecular function (tlDLP-MF). Hyperparameters of each method were determined by internal 10-fold cross-validation with grid search. We were extremely careful of information leakage, so the versions of data sources utilized in temporal validation were all early than 2019-02-12.

For our method, we set  $\alpha=0.9$  in the RWR step empirically (Long et al., 2020). The dimensions of embeddings generated by GCNs were fixed to 800, i.e.  $d_{\rm GCN}^{(l)}=800$  (l=0,1,2), while the sizes of embeddings produced by MLP were set as follows:  $d_{\rm MLP}^{(1)}=400$ ,  $d_{\rm MLP}^{(2)}=200$ , and  $d_{\rm MLP}^{(3)}=100$ . We optimized our model with RmsProp optimizer for 3,000 epochs with initial learning rate as 0.0001 and weight decay factor as 1.0, and the learning rate would decrease by half every 1,000 epochs. We adopted LeakyReLU activations with negative slope being 0.01 for GCN blocks and ReLU for MLP. We set  $\epsilon=5$  in MSE loss function. The model was implemented by PyTorch and PyTorch Geometric.

#### 4.4 Results of cross-validation

#### 4.4.1 Performance comparison

Table 2 shows the results of 10-fold cross-validation. HPOFiller achieves the best prediction performance with AUPR of 0.4345, which is 11.3%higher than that of the second-best method tlDLP-MF which utilizes more information (i.e. GO annotations of MF). The inferior performance of tlDLP implies that multiple data sources might not be properly integrated into their models. Moreover, the AUPR of HPOFiller is 13.7% and 17.1% higher than DLP and AiProAnnotator, respectively, which both use the PPI network and HPO term similarity (despite calculated in different ways). This result demonstrates the effectiveness of GCN to exploit network information. In addition, HPOFiller outperforms others for predicting not only internal annotations but also specific annotations that are more informative. Furthermore, Fig. S1 shows that HPOFiller keeps the highest precision, except for extremely low recall, indicating that HPOFiller can accurately return the relevant results. Regarding AUC, HPOFiller is moderate, which might be caused by drastic label imbalance (Saito and Rehmsmeier, 2015). As for AP@K where we choose K = 5k, 10k, 20k, 50k, HPOFiller consistently outperforms the competing methods at all K with significant margins.

#### 4.4.2 Ablation study

To investigate the effectiveness and necessity of components of HPOFiller, we conduct ablation study by removing one component from the model and evaluate the performance using 10-fold cross-validation. The results are shown in Fig. 5. We notice that AUPR drastically drops by 88.0% without batch normalization, implying its importance on stability. What's more, removing the output MLP layers also results in performance degradation, indicating the role of distillation. Finally, we observe that models without

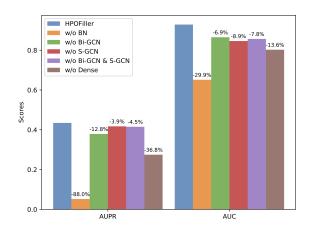


Fig. 5. Ablation study between HPOFiller and its variants derived by removing one of component from the model. The percentage refers to the rate of change in AUPR or AUC by leaving out the particular component relative to that obtained by the full model.

GCN blocks are all defeated, which again demonstrates the ability to refine high-quality representations from the network which in turn benefits the overall performance.

#### 4.4.3 Parameter analysis

There are many hyper-parameters in our model, each of which will have an influence on the performance. Thus, we conduct parameter sensitivity analysis by varying one hyper-parameter with others fixing. Fig. S2 shows the test AUPR and AUC w.r.t epoch of HPOFiller. We can see that, as the number of iterations increase, AUPR has converged but AUC begins to slowly decrease, implying the over-fitting. Therefore, we terminate the learning process at 3,000 iterations to avoid performance degradation. Fig. S3 presents the performance changes w.r.t multiple hyper-parameters. In particular, continuously increasing the depth of GCN layers leads to over-fitting. This might be caused by applying a too deep architecture might introduce more noises on graph to the representation learning and causes over-smoothing. Moreover, stacking multiple output MLP layers can consistently enhance the predictive performance, but further appending layers also leads to over-fitting. Similar trend also appears in the dimension of the embeddings. All these indicate that too complex models do not necessarily lead to the best performance. As for the restart probability  $\alpha$  in RWR, a larger  $\alpha$  yields better performance, suggesting that capturing local context may be needed at the preliminary stage. Finally, we investigate the effect of  $\epsilon$  in Eq. (15). From Fig. S3(c), we find that appropriate enhancement on positive samples can mitigate the impact of label imbalance and hence boost the performance.

## 4.5 Results of temporal validation

#### 4.5.1 Performance comparison

Table 3 summarizes the results of temporal validation. HPOFiller outperforms all other methods in terms of AUC and AUPR, demonstrating the advantage of our model in predicting missing HPO annotations. Compared with matrix completion-base methods, label propagation-based methods achieve better performance. The matrix completion integrates information underlying networks into low-rank matrices with loss, while GCN would make better use of the network information and hence help improve the performance. It is noteworthy that AUPRs in temporal validation are relatively lower than those in cross-validation. It might be attributed to a lot of annotations in the test set that are still missing, and as a result, the performance is potentially under-estimated (Liu *et al.*, 2020).

Table 2. Performance comparison under 10-fold cross-validation

Method	AUC	AUPR	AUC-leaf	AUPR-leaf	AUC-internal	AUPR-internal	AP@5k	AP@10k	AP@20k	AP@50k
LP	0.9318	0.3776	0.7903	0.2837	0.9353	0.4643	0.6426	0.5198	0.3976	0.2446
DLP	0.9319	0.3823	0.7904	0.2872	0.9355	0.4694	0.6570	0.5304	0.4051	0.2492
tlDLP-BP	0.8855	0.3557	0.7881	0.2753	0.8797	0.4158	0.6137	0.5051	0.3906	0.2406
tlDLP-MF	0.9260	0.3903	0.8169	0.2941	0.9317	0.4765	0.6640	0.5426	0.4181	0.2588
SMC	0.8636	0.3857	0.7542	0.3093	0.8445	0.4179	0.7638	0.6641	0.4858	0.2617
AiProAnnotator	0.9461	0.3711	0.8014	0.2960	0.9433	0.4119	0.6600	0.5678	0.4146	0.2212
HPOFiller	0.9288	0.4345*	0.7693	0.3311*	0.9356	0.5244*	0.8347*	0.7138*	0.5423*	0.3109*

Notes: \*Statistical significance (P < 0.001) by pairwise t-test. The boldface items in the table represent the best performance.

Table 3. Performance comparison under temporal validation

Method	AUC	AUPR	AUC-leaf	AUPR-leaf	AUC-internal	AUPR-internal
LP	0.8916	0.0461	0.7800	0.0387	0.8694	0.0534
DLP	0.8913	0.0472	0.7797	0.0392	0.8694	0.0540
tlDLP-BP	0.8900	0.0472	0.7997	0.0397	0.8747	0.0549
tlDLP-MF	0.8885	0.0471	0.8016	0.0391	0.8729	0.0540
SMC	0.8326	0.0224	0.7262	0.0194	0.8241	0.0246
AiProAnnotator	0.8404	0.0211	0.7329	0.0181	0.8306	0.0238
HPOFiller	0.9013	0.0483	0.8046	0.0401	0.8804	0.0550

Note: The boldface items in the table represent the best performance.

#### 4.5.2 Case study 1: top predictions with literature evidence

The annotations in the test set for temporal validation are still incomplete, and so a lot of predictions by HPOFiller might be true annotations even if they are not annotated yet. Table 4 presents several top predictions that are not in the HPO annotations released by June 2020 but supported by literature.

The TP53 gene provides instructions for making a protein called cellular tumor antigen p53, which acts as a tumor suppressor to regulate cell division. Pandya *et al.* (2018) found that p53 protein over-expression and p53 mutations were responsible for dysplastic oral lesions. Recently, Caponio *et al.* (2020) reports that mutations of TP53 are the most frequent somatic genomic alterations in head and neck squamous cell carcinoma

(HNSCC), and more than 90% of HNSCCs involve the mucosal surfaces of the oral cavity, oropharynx and larynx.

The epidermal growth factor receptor (EGFR) is a transmembrane protein that regulates cell proliferation, apoptosis, angiogenesis, adhesion and metastasis. Ahluwalia *et al.* (2018) suggested that patients with EGFR-mutated non-small cell lung cancer (NSCLC) were more likely to suffer central nervous system (CNS) metastases.

In addition to the cancers, there are some predictions related to rare phenotypic abnormalities.  $\beta$ -catenin is a dual function protein, involved in regulation and coordination of cell-cell adhesion and gene transcription. Lin *et al.* (2008) implied that the deregulation of  $\beta$ -catenin could contribute to the etiology of congenital external genital defects in humans based on the experiments on the mice.

Table 4. Top predictions of protein-phenotype associations with literature evidence

Rank	UniProt ID	Gene	Protein name	HPO term ID	HPO term name	Reference	Evidence
32 45 47	P04637	TP53	Cellular tumor antigen p53	HP:0000153 HP:0031816 HP:0000163	Abnormality of the mouth Abnormal oral morphology Abnormal oral cavity morphology	Pandya et al. (2018)	"Progressive accumulation of genetic errors (including mutations in <b>TP53</b> and CDKN1A) is associated with the initiation and progression of potentially <b>malignant oral lesions</b> toward frank malignancy."
4				HP:0000707	Abnormality of the nervous system		
6				HP:0012638	Abnormality of nervous system physiology		"Central nervous system (CNS) metastases are a common complication in patients with epidermal
41	P00533 EGFR	R Epidermal growth factor receptor	HP:0012639	Abnormality of nervous system morphology	Ahluwalia et al. (2018)	<b>growth factor receptor</b> (EGFR)-mutated non-small cell lung cancer (NSCLC), resulting in	
94				HP:0002011	Morphological abnormality of the central nervous system		a poor prognosis and limited treatment options."
4263				HP:0010461	Abnormality of the male genitalia		"The fact that both endodermal and ectodermal $\beta$ -Catenin knockout animals develop severe
4665	P35222	CTNNB1	Catenin beta-1	HP:0000811	Abnormal external genitalia	Lin et al. (2008)	hypospadias in both sexes raises the possibility that deregulation of any of these functions can
5280				HP:0000032	Abnormality of male external genitalia		contribute to the etiology of congenital <b>external genital defects</b> in humans."
4759	Q6PI48	DARS2	Aspartate-tRNA ligase, mitochondrial	HP:0001252	Muscular hypotonia	Köhler et al. (2015)	"At the age of 10 months, he showed no active moving with <b>muscular hypotonia</b> A homozygous mutation in the <b>DARS2</b> gene is most probably the cause of the disease (LBSL)."

Table 5. Runtime comparison of different methods under temporal validation

Method	Runtime
LP	1.90s
DLP	588.11s
tlDLP-BP	2764.68s
tlDLP-MF	2914.81s
SMC	1932.56s
AiProAnnotator	3199.52s
HPOFiller	1041.41s

The mitochondrial aspartyl-tRNA synthetase is an important enzyme in the synthesis of mitochondria, the energy-producing centers in cells. Köhler *et al.* (2015) reported a 2.5-year-old baby suffering from leukoencephalopathy with brainstem and spinal cord involvement and lactate elevation (LBSL). He showed muscular hypotonia at the age of 10 months. The authors believed that a homozygous mutation in the DARS2 gene is most probably the cause of LBSL.

#### 4.5.3 Case study 2: typical example

To demonstrate the practical advantage of HPOFiller, we use menin (UniProt ID: O00255) as a typical example. Menin is the protein product encoded by MEN1 gene, which serves as a *putative* tumor suppressor associated with multiple endocrine neoplasia type 1. Although menin is believed to be likely implicated in several important cell functions, the exact role of menin is yet to be elucidated (Kamilaris and Stratakis, 2019). Fig. S4 presents the HPO annotations predicted by different methods. There are 47 newly added HPO annotations of menin, and HPOFiller successfully predicts 17 of them (36.2%), comparing to only 8 for the next-best method. Furthermore, from Fig. S4, we observe that HPOFiller can find more specific HPO terms, implying the highly positive effect of GCN to capture the semantic relationships between HPO terms from HPO semantic similarity network.

#### 4.5.4 Runtime analysis

The runtime of comparing methods is given in Table 5. The experiments are conducted on CentOS 7.5.1804 with Intel(R) Xeon(R) Silver CPU and 256GB RAM, and our model is run on NVIDIA(R) GeForce(R) GTX 1080 Ti GPU. HPOFiller needs half an hour to finish the computation, which is two to three times faster than four out of all six competing methods.

## 4.5.5 Application to find disease-gene associations

We present a further usage of HPOFiller: using known disease-HPO term associations as well as predicted HPO annotations can identify new disease-gene/proteins relationships. We obtain predicted disease-related genes/proteins by building a bridge between HPO annotations of diseases released in February 2019 and predicted protein-HPO term associations generated by HPOFiller. Table 6 lists three top predictions that are added to the latest OMIM gene-disease relationships database. It demonstrates that by using the standardized description of the abnormal phenotypes of the disease by clinicians and other biocurators, HPOFiller can reveal possible genetic causes of diseases.

## **5 Conclusion**

We presented HPOFiller, a graph convolutional network (GCN)-based approach for identifying missing HPO annotations. The key idea of HPOFiller is to repetitively integrate the information between proteins and HPO terms through protein-HPO term bipartite network by Bi-GCN to provide preliminary embeddings in the latent space, which are then

refined by S-GCN on PPI network and HPO semantic similarity network separately. Empirical experiments under stringent conditions showed that HPOFiller significantly outperformed state-of-the-art methods. Besides, we could show evidence from literature for some predicted (unknown) associations, implying the under-estimation of performance. Furthermore, HPOFiller could discover potential disease-gene associations by using known disease-HPO term associations. Due to the utilization of PPI network, HPOFiller was currently limited to gene-coded proteins. Since HPO included a number of disease related non-coding RNAs, we could extend our work to identify missing annotations of non-coding RNAs. Additionally, exploring a more efficient architecture using GCN for predicting HPO annotations would be interesting future work.

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Table 6. Top disease-gene a	ssociations found by	HPOFiller that are newly	v added to the latest OMIM database

Rank	Protein ID	Gene	Protein name	HPO term ID	HPO term name	Disease ID	Disease name
114	P05231	IL6	Interleukin-6	HP:0002408	Cerebral arteriovenous malformation	OMIM:108010	Arteriovenous malformations of the brain (BAVM)
1323 4032	Q30201 P05164	HFE MPO	Hereditary hemochromatosis protein Myeloperoxidase	HP:0000726 HP:0002423	Dementia Long-tract signs	OMIM:104300	Alzheimer disease (AD)

Note: 'HPO term' refers to the predicted missing HPO annotation of corresponding protein by HPOFiller.

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